

Real time network modulation for intractable epilepsy

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acknowledgement



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- Rakesh Malladi

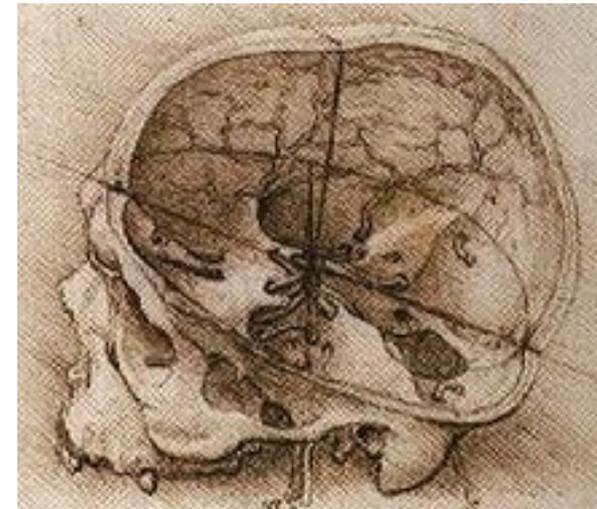


acknowledgement

- Rakesh Malladi
- Nitin Tandon, MD at UTHSC
- Giridhar Kalamangalam, MD at UTHSC

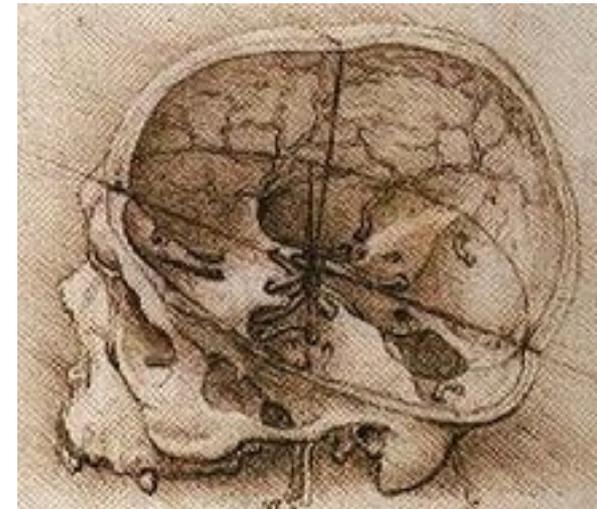


a scientific curiosity



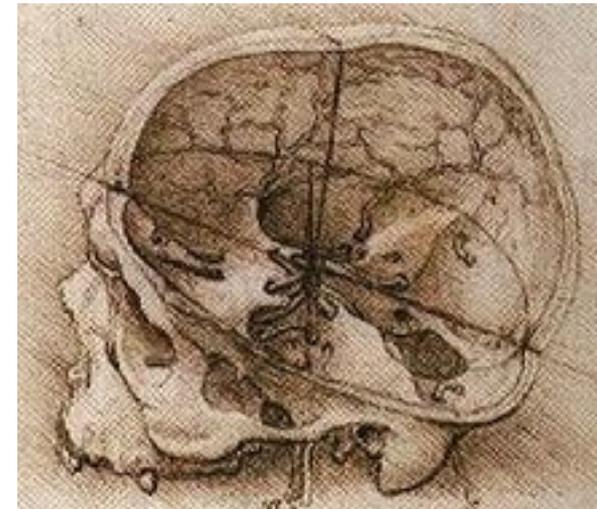
a scientific curiosity

- How does human brain work?
 - Ancient Egypt and Greece
 - Roman empire
 - the seat of intelligence



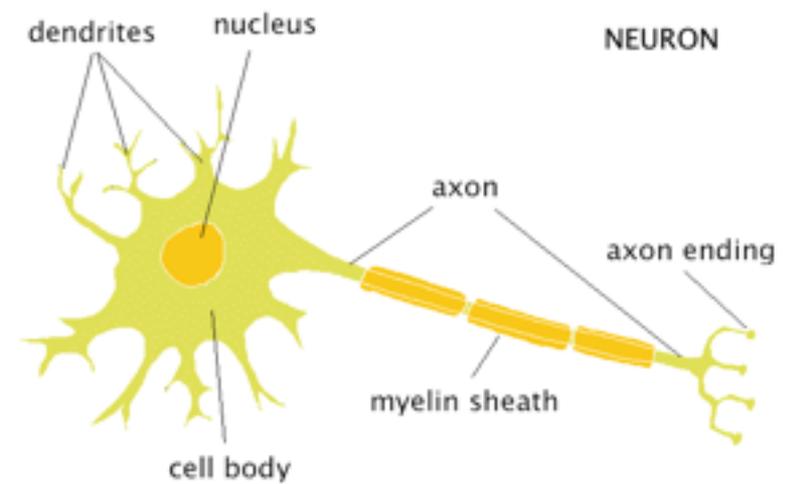
a scientific curiosity

- How does human brain work?
 - Ancient Egypt and Greece
 - Roman empire
 - the seat of intelligence
 - 19th century
 - 90s the “decade of the brain”
 - 2013 “the brain initiative”



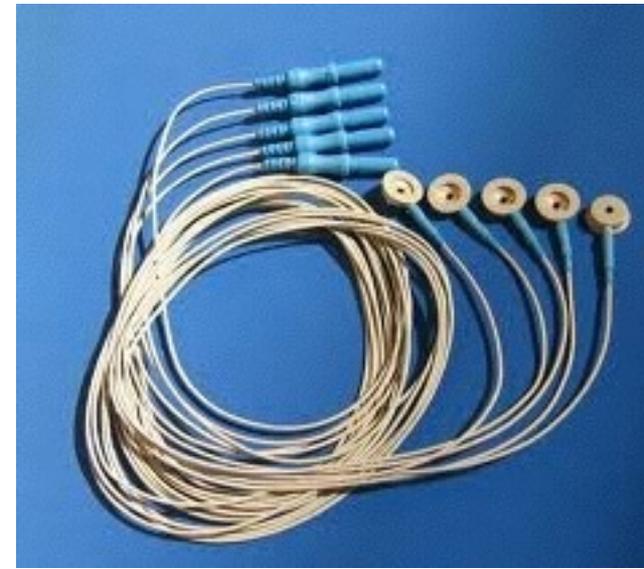
understanding

- quantum leap
 - neuron doctrine



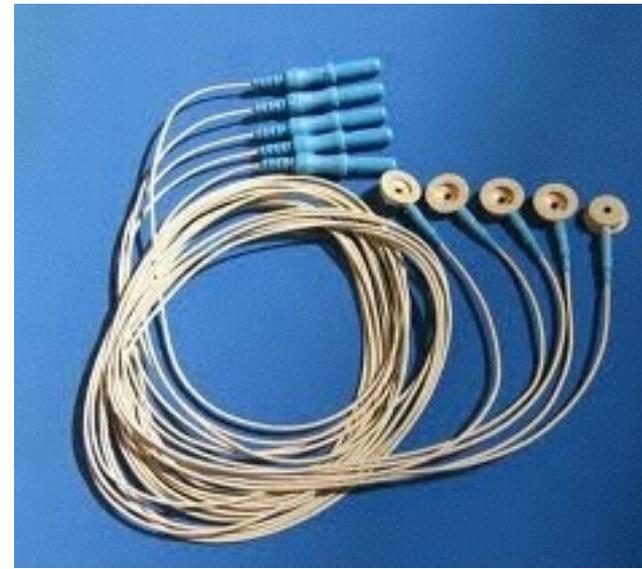
understanding

- quantum leap
 - neuron doctrine
 - electrical circuit
 - electrical excitability



understanding

- quantum leap
 - neuron doctrine
 - electrical circuit
 - electrical excitability
 - enabler
 - tools
 - microscope
 - electrodes



grand challenges

- ...
- relation
 - neuronal circuit connectivity and behavior

grand challenges

- ...
- relation
 - neuronal circuit connectivity and behavior
 - transition of neuronal circuits
 - disease state to healthy state
 - learning
- ...

our research focus

- network modulation as a reparative therapy
 - epilepsy, parkinson, alzheimers
- circuits connectivity—behavior
 - common theme
 - tools
 - influence on network

this talk

- network modulation as a reparative therapy
 - epilepsy, parkinson, alzheimers
- circuits connectivity—behavior
 - common theme
 - tools
 - influence on network

neurological disorders

- human nervous system
 - a gigantic network with nano scale structures
 - 200 billion neurons and trillions of connections

neurological disorders

- human nervous system
 - a gigantic network with nano scale structures
 - 200 billion neurons and trillions of connections
- over 200 identified neurological disorders
- “cost” of neurological diseases
 - \$600 billion annually

epilepsy

- unprovoked and recurring seizures
- seizure
 - no standard definition

epilepsy

- unprovoked and recurring seizures
- seizure
 - no standard definition
 - abnormally synchronized hyper-excited neuronal activities
 - variations
 - sub-clinical seizure burst — — full blown seizure
 - single focal seizure — — multifocal seizure

epilepsy

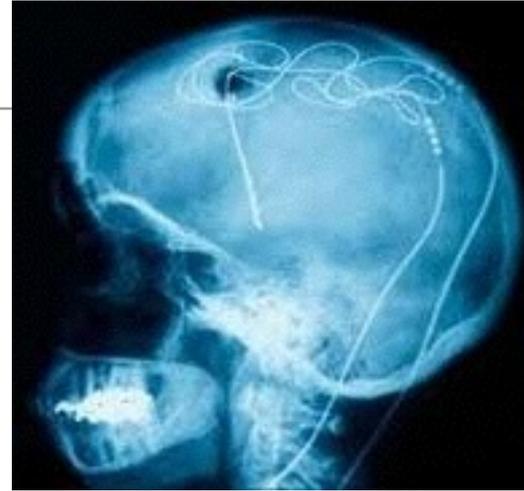
- effects 3 million patients in the USA
 - medication
 - resection
 - stimulation (modulation)
 - neurons respond to electric signals !

epilepsy

- effects 3 million patients in the USA
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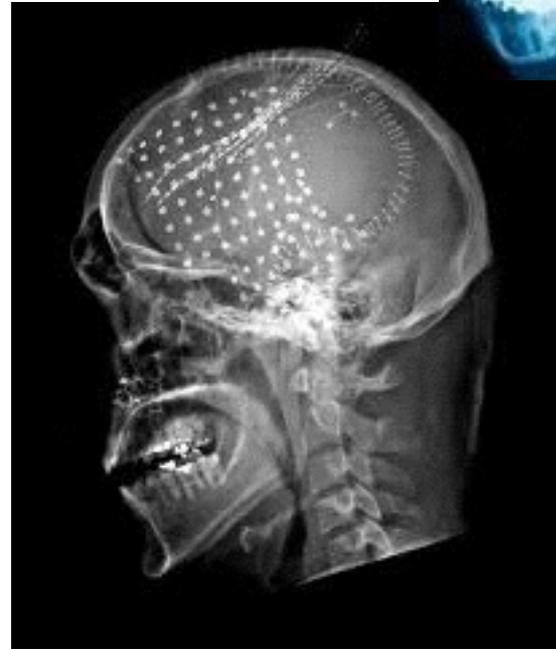
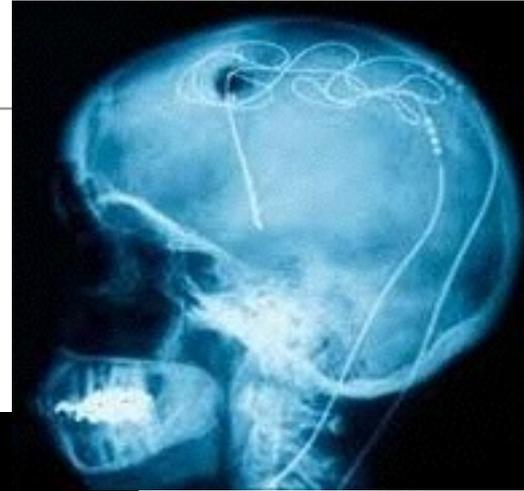
recording-stimulation

- deep brain



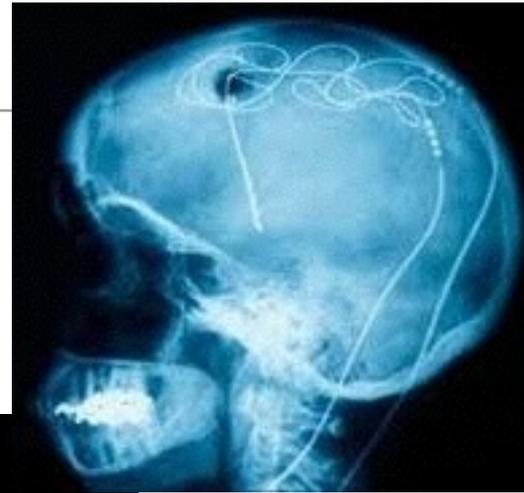
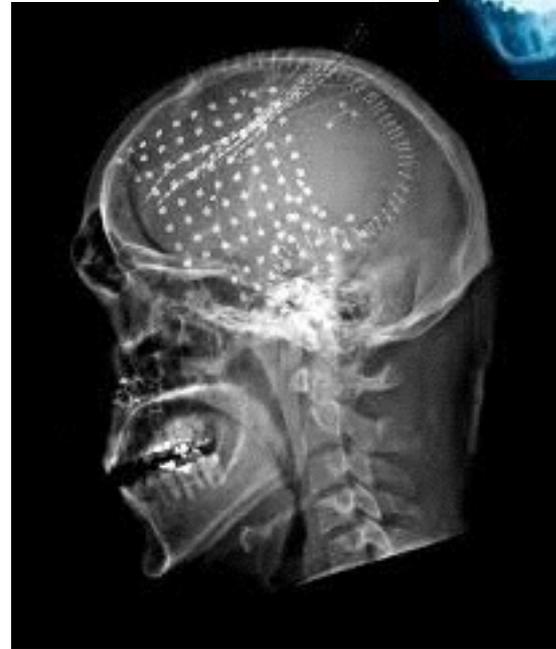
recording-stimulation

- deep brain
- subdural



recording-stimulation

- deep brain
- subdural
- trans-cranial



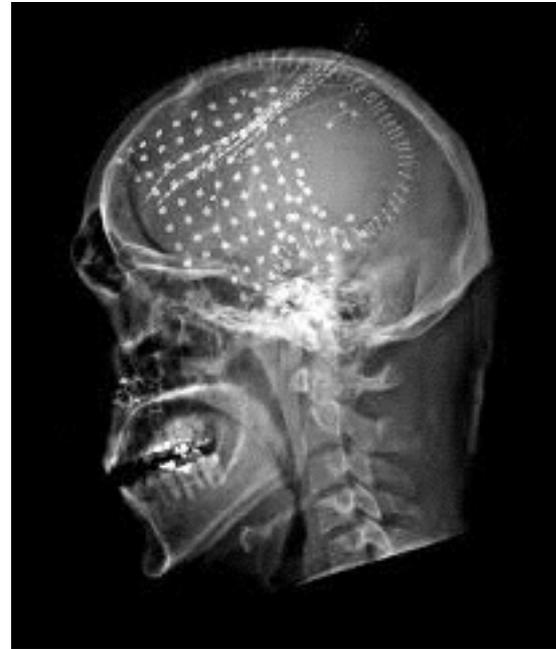
recording-stimulation

- deep brain
- subdural
- trans-cranial

tradeoff: invasive versus effective

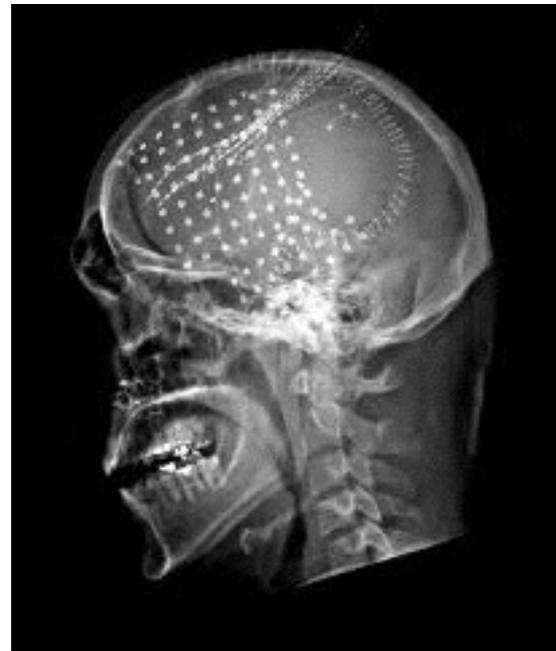
our methodology

- deep brain
- **subdural**
- trans-cranial



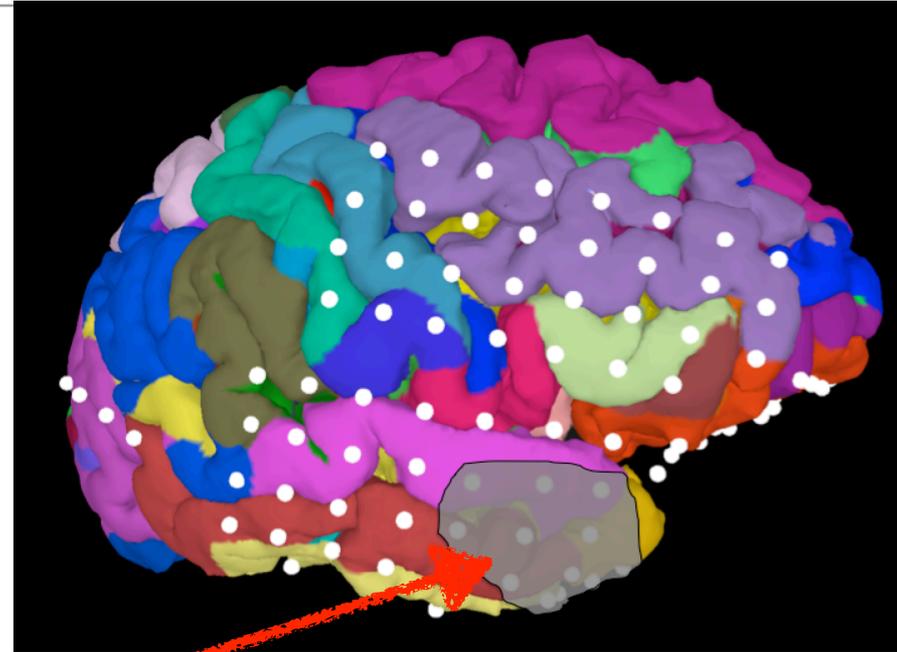
today's application

- subdural recording
 - identify epileptic zone



today's application

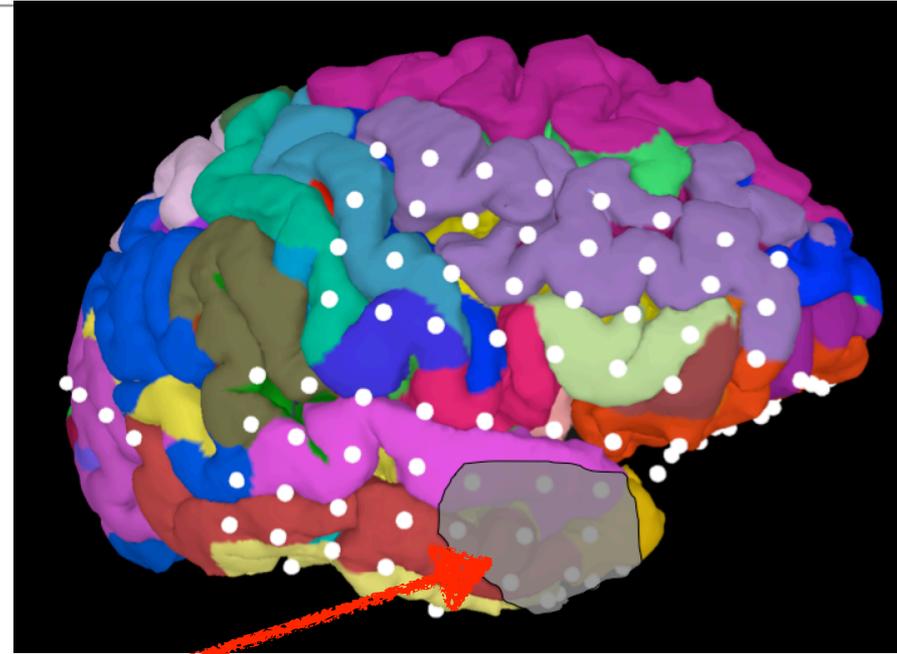
- subdural recording
 - identify epileptic zone
 - resection!



epileptic zone

potential application

- subdural stimulation



epileptic zone

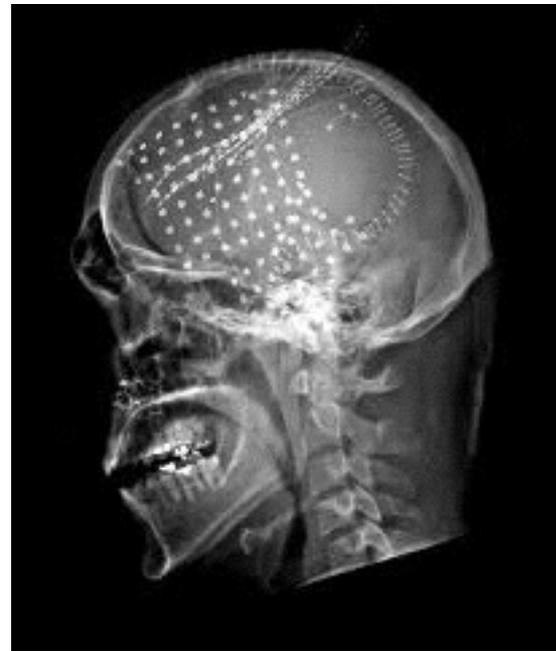
challenges in stimulation

- prevent the network “from going to” hyperexcitable state
- identify seizure zone
- identify temporal markers
 - low frequency stimulation

seizure markers!

subdural recording and stimulation

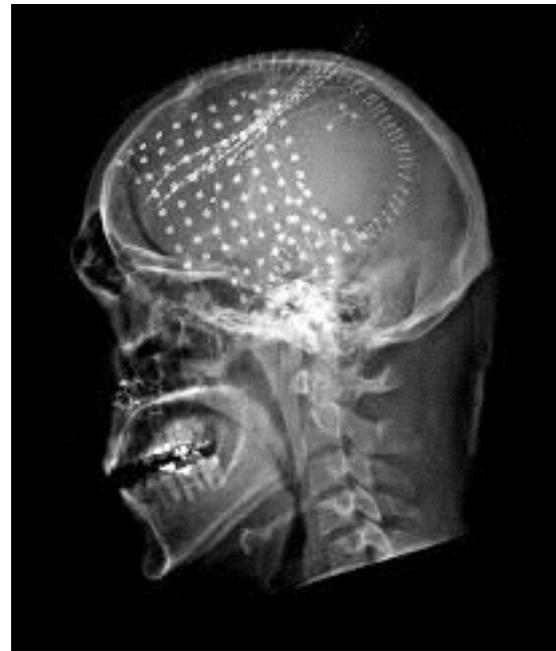
- wish list
 - real time
 - closed loop



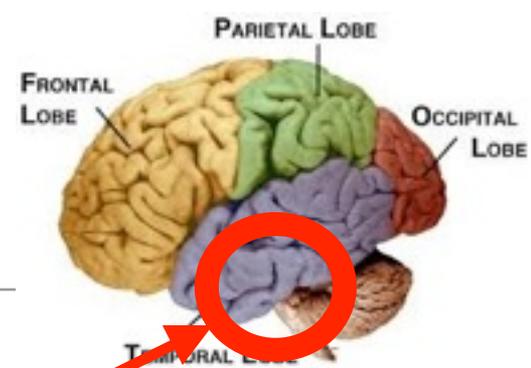
let's do this!

subdural recording and modulation

- electro-cortico-graphy (ECoG)
 - subdural
 - 154 channels (electrodes)

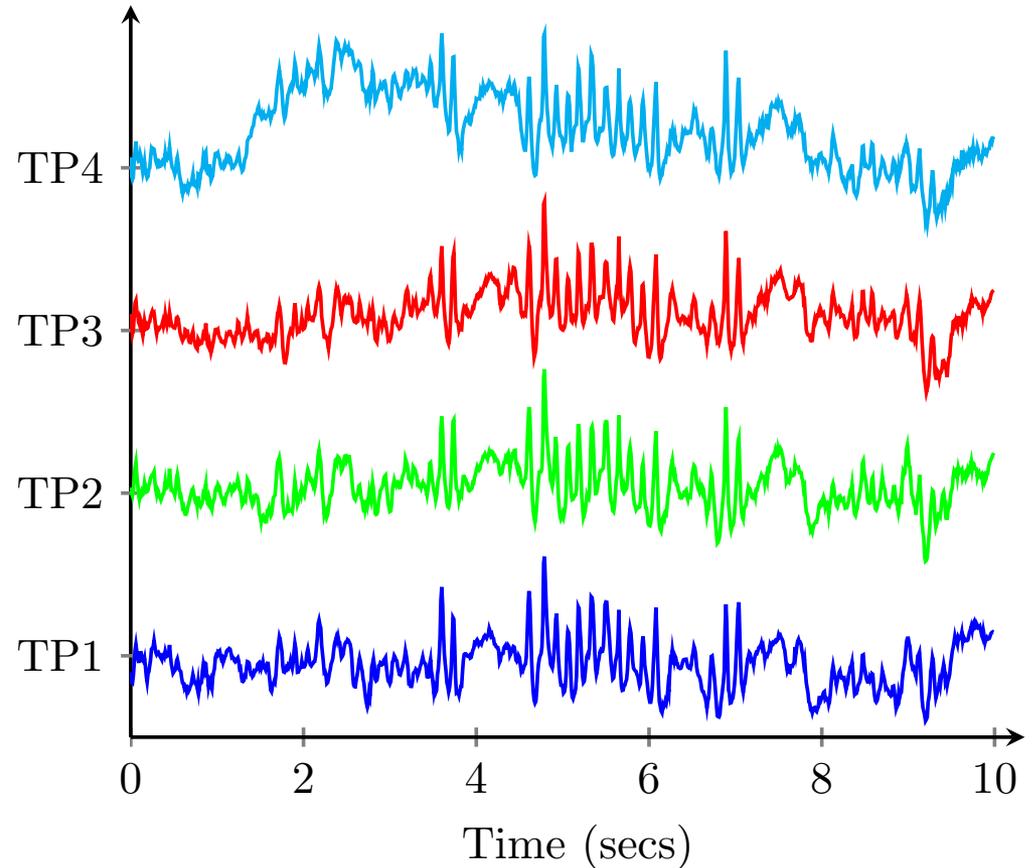


recording

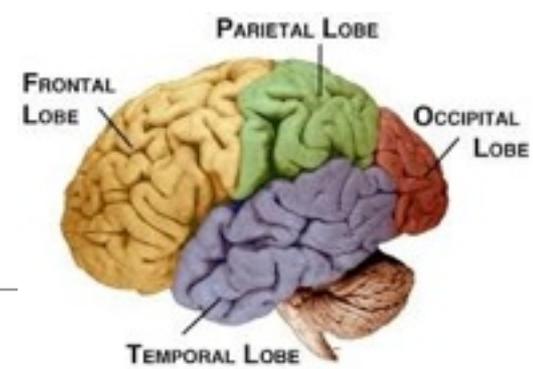


- electro-cortico-graphy (ECoG)
 - subdural
 - 154 channels (electrodes)
- recording

temporopolar



recording



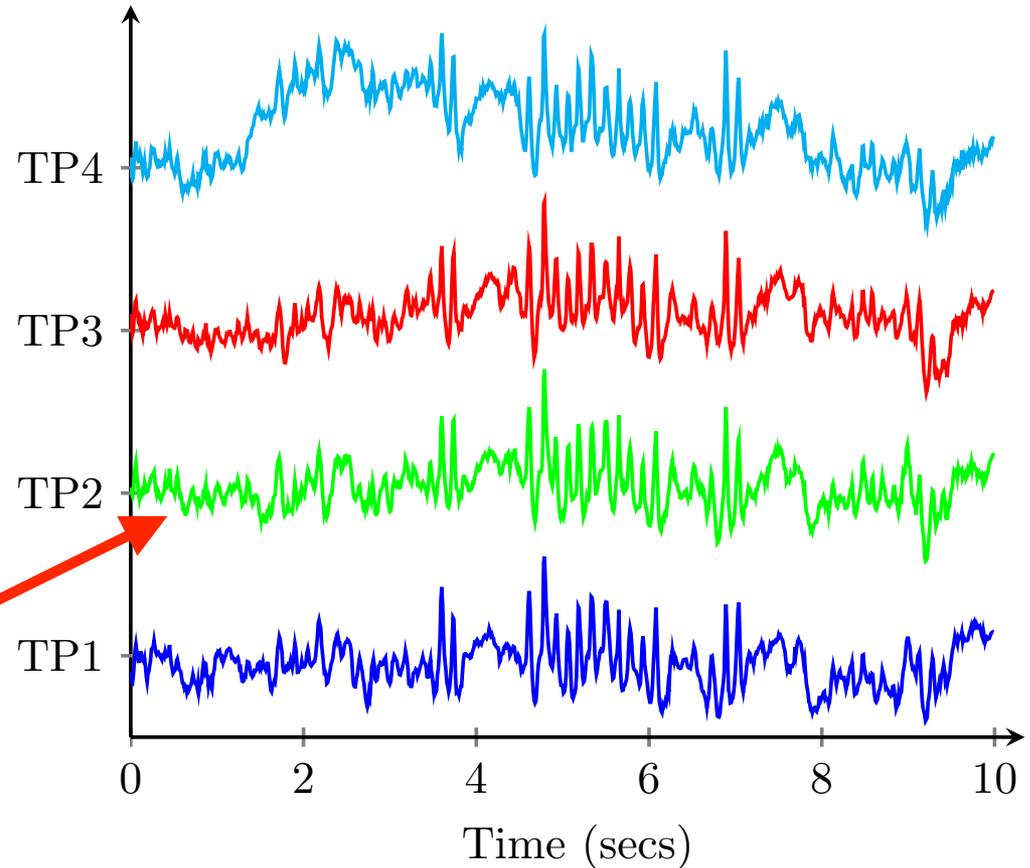
- electro-cortico-graphy (ECoG)

- subdural

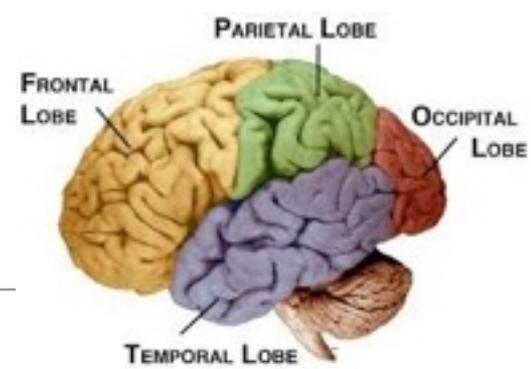
- 154 channels (electrodes)

- recording

these are not spikes



recording



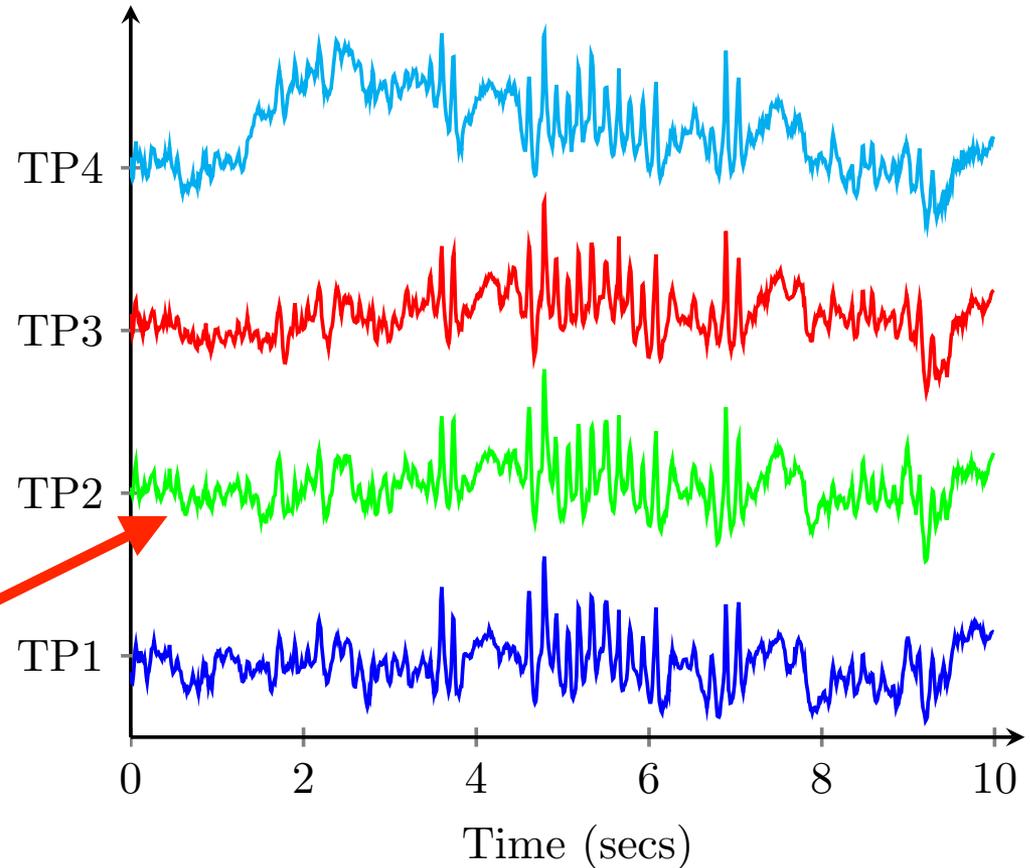
- electro-cortico-graphy (ECoG)

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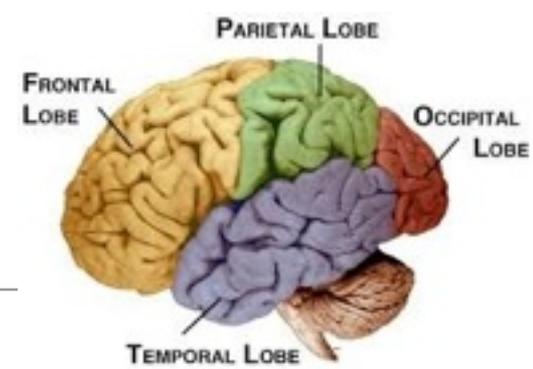
- 154 channels (electrodes)

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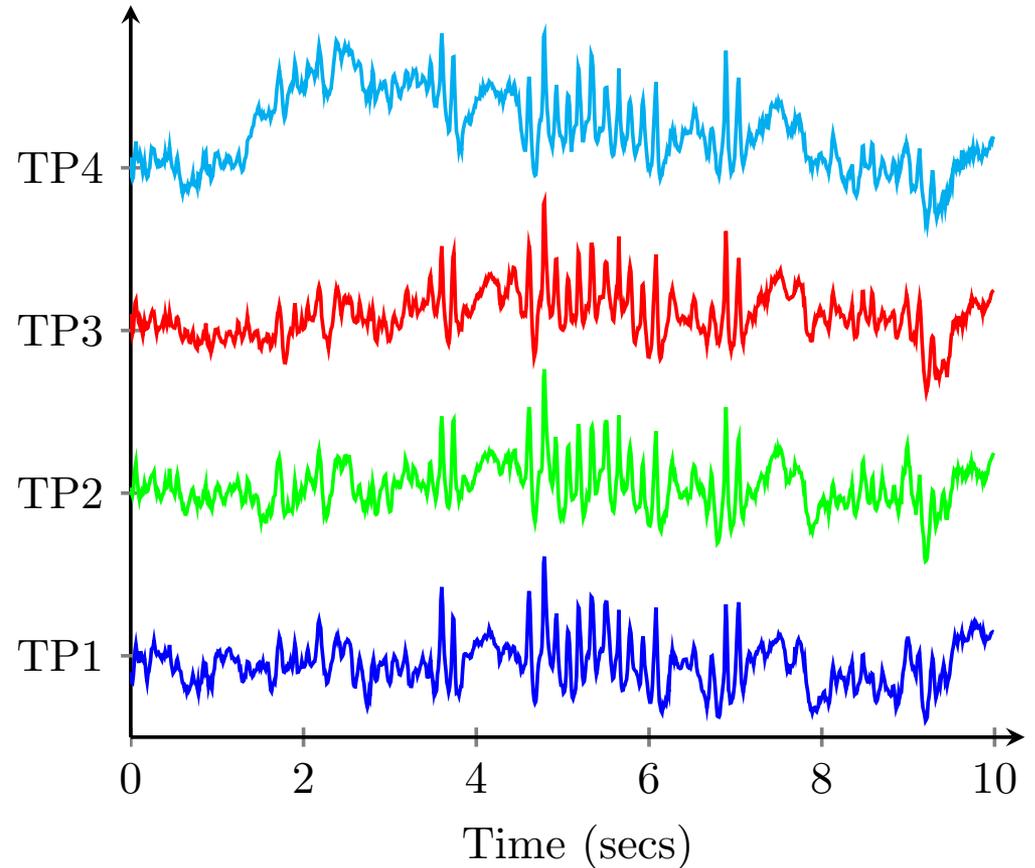
these are not spikes
local field potentials



recording

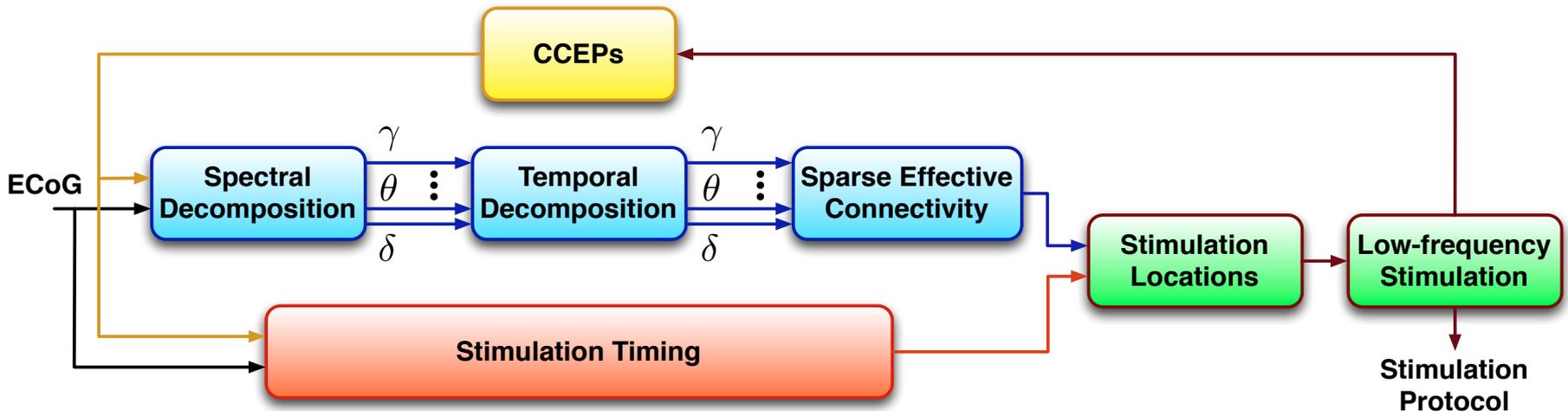


- electro-cortico-graphy (ECoG)
 - subdural
 - 154 channels (electrodes)
- recording
- stimulation?



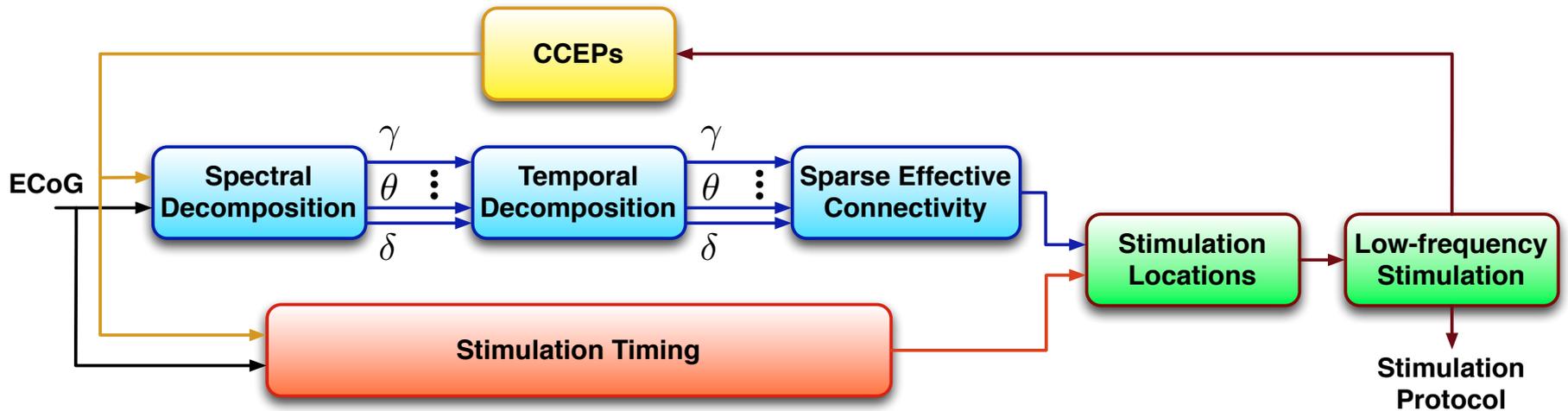
stimulation (modulation)

- protocol
 - depress the influence of one population of neurons on another
 - temporally precise low frequency stimulation of selected electrodes



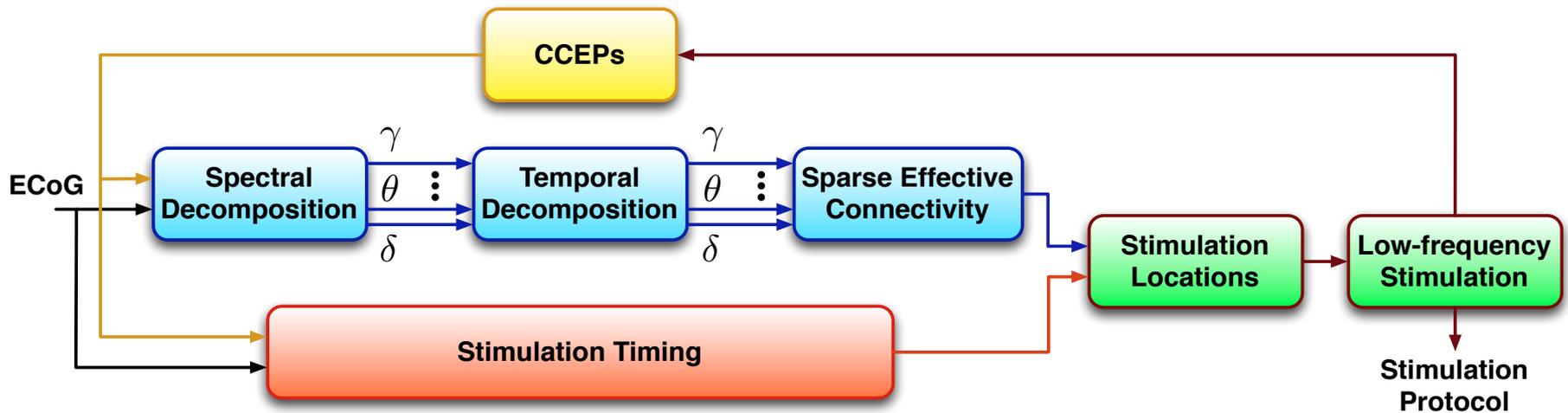
research agenda

- temporally **precise** low frequency stimulation of **selected** electrodes



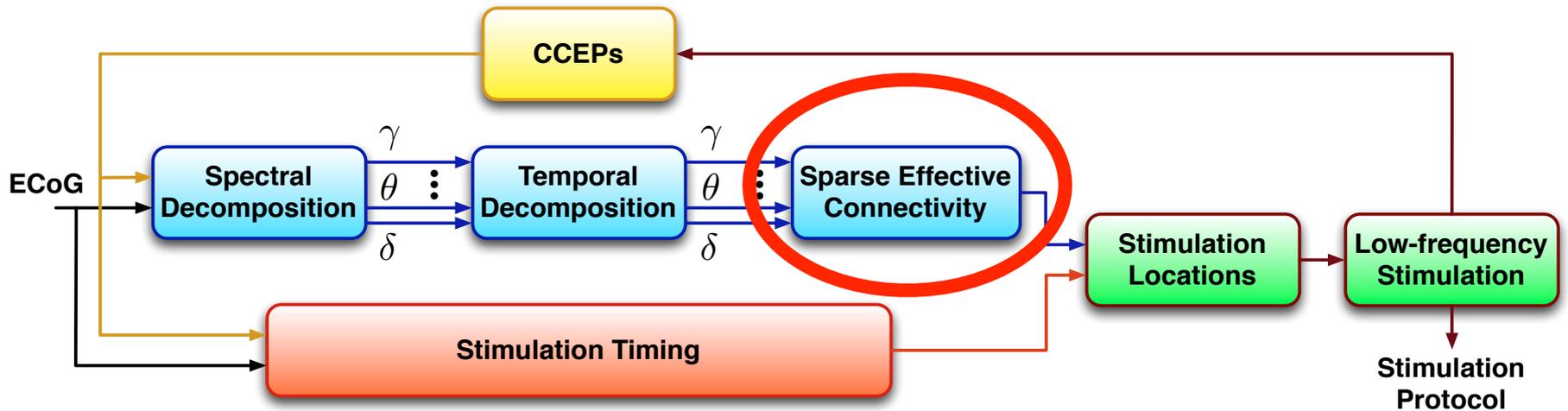
research agenda

- temporally **precise** low frequency stimulation of **selected** electrodes
- develop a model and protocols—real-time, closed loop,
- build the system
- clinical trial



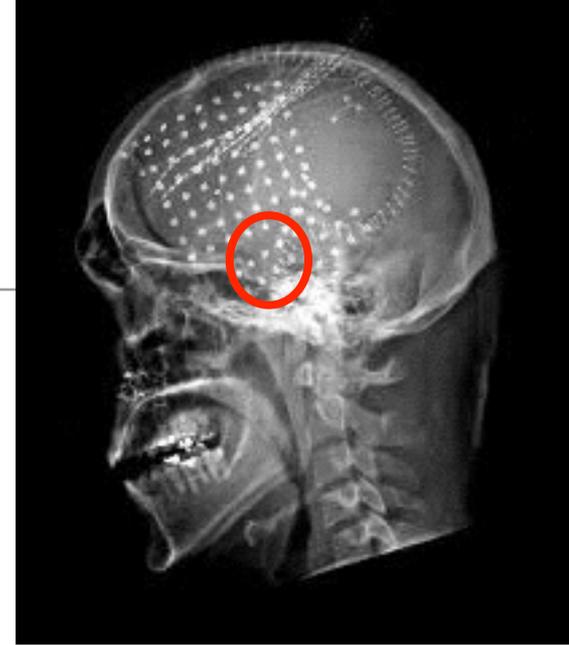
today's talk

- develop
 - sparse effective connectivity



modeling

- time series of length N
- d channels



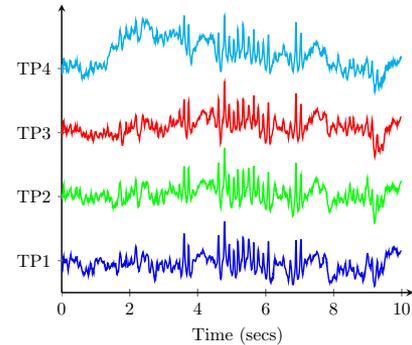
$$\mathbf{X}_1^N = (\mathbf{x}_1, \mathbf{x}_2, \dots, \mathbf{x}_N)$$

$$\mathbf{x}_n = [x_n(1), x_n(2), \dots, x_n(d)]^T \in \mathbb{R}^d \quad \forall n$$

modeling

- time series of length N
- d channels

these are not spikes
local field potentials



$$\mathbf{X}_1^N = (\mathbf{x}_1, \mathbf{x}_2, \dots, \mathbf{x}_N)$$

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modeling

- time series of length N — — hours and hours of observations
- d channels — — 154

$$\mathbf{X}_1^N = (\mathbf{x}_1, \mathbf{x}_2, \dots, \mathbf{x}_N)$$

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modeling

- time series of length N — — hours and hours of observations
- d channels — — 154

exploit natural sparsity

modeling

- time series of length N — — hours and hours of observations
- d channels — — 154

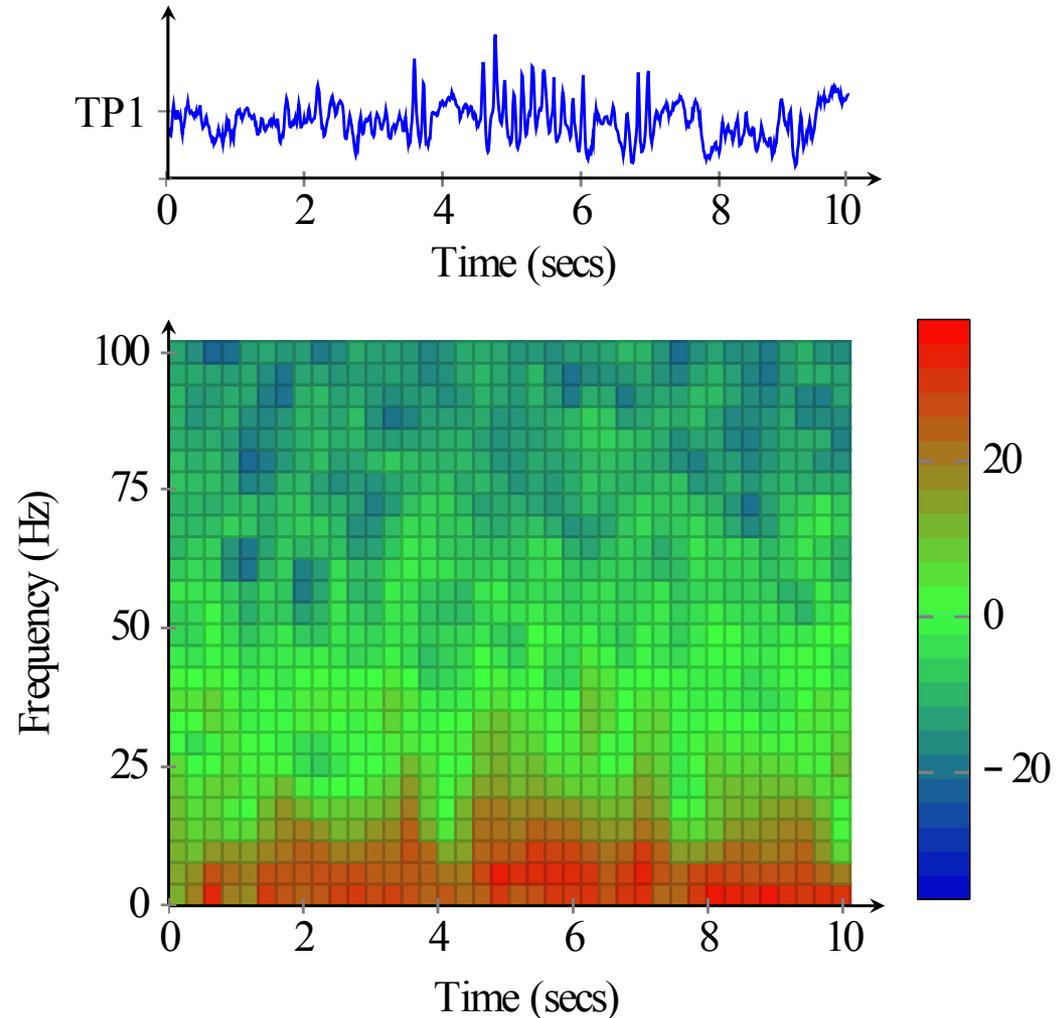
exploit natural sparsity

spectral? temporal? spatial?

spectral decomposition

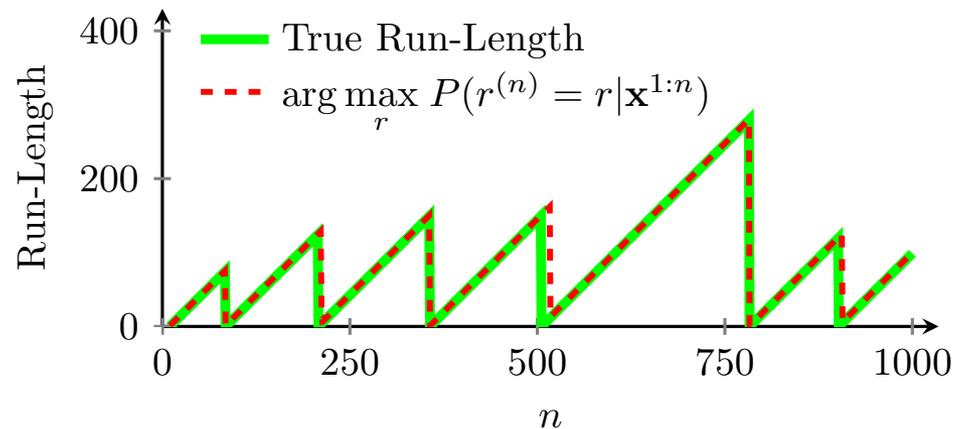
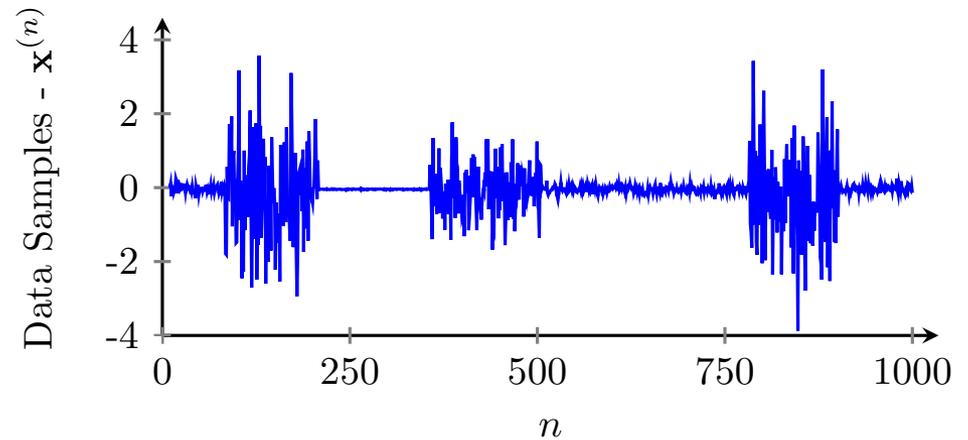
- time-frequency analysis

- 0.1-4 Hz δ band
- 4-8 Hz θ band
- 8-14 α band
- 14-30 β band
- > 30 γ band



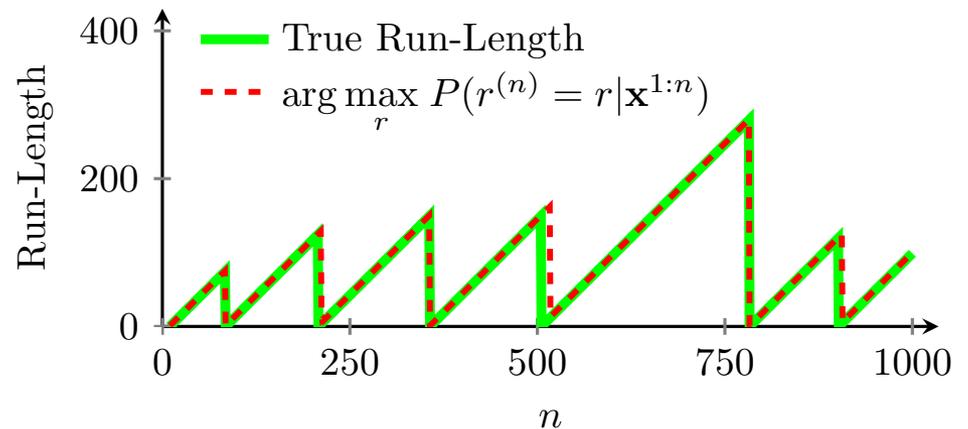
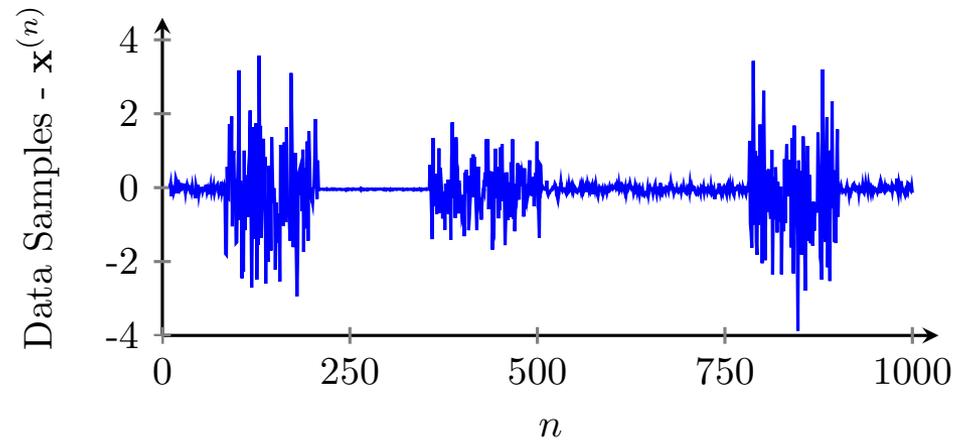
temporal segmentation

- Bayesian change detection
 - run length



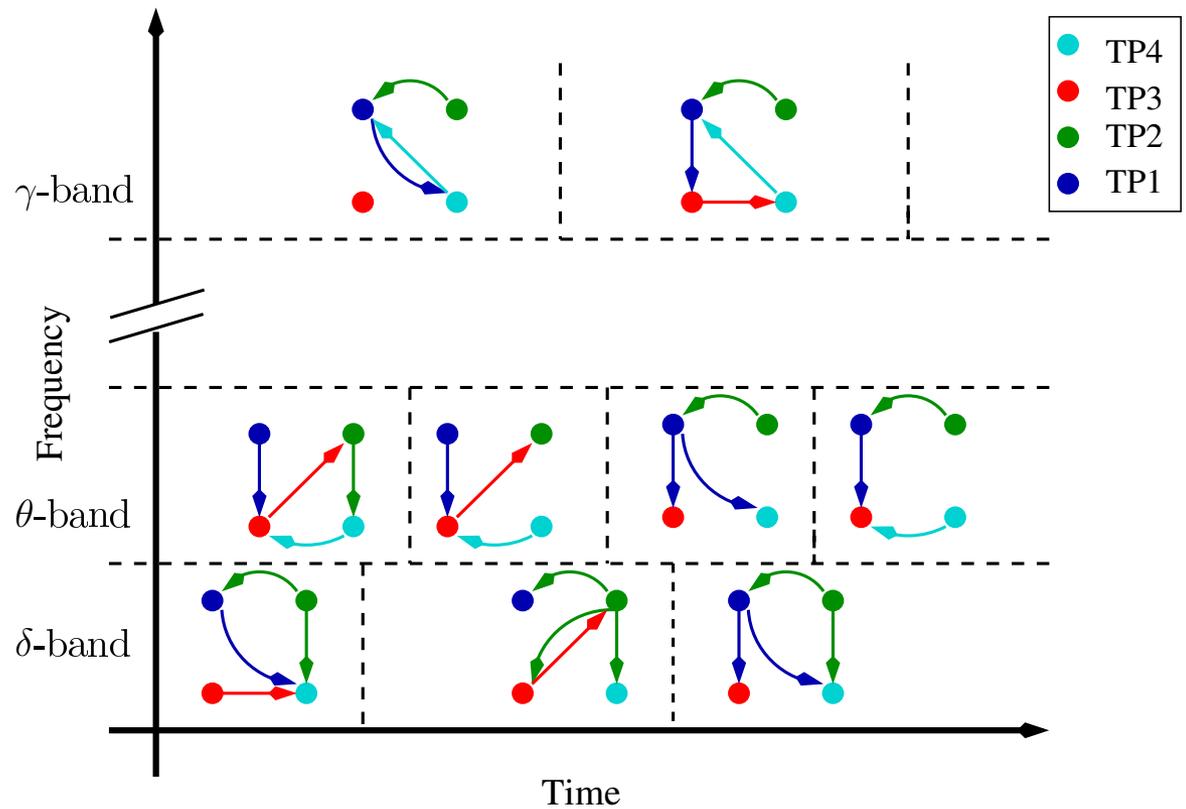
temporal segmentation

- Bayesian change detection
 - run length
- seizure markers
 - inter-ictal spikes
 - high frequency oscillations



spatial connectivity

- graphical model
 - connectivity
 - causality



Granger causality

- one time series forecasting another
 - economics
 - transportation
 - ...

Granger causality

- one time series forecasting another
 - economics
 - transportation
 - ...
 - Norbert Wiener (1956)
 - Clive Granger (1969)
 - Hans Marko (1973)
 - James Massey (1990)

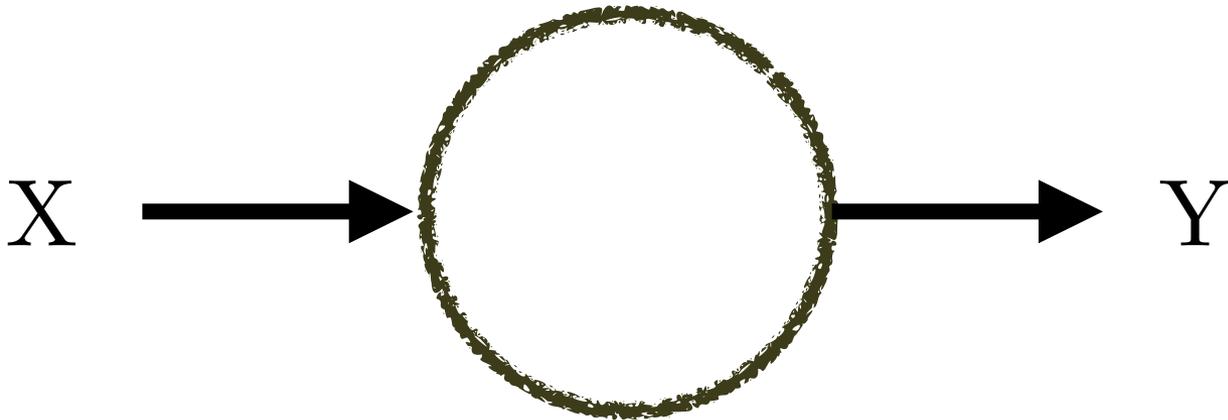
a little background

a little background

- mutual information

$$I(X; Y) = \int f_{XY} \log \frac{f_{XY}}{f_X f_Y}$$

- average information about **X** provided by **Y**

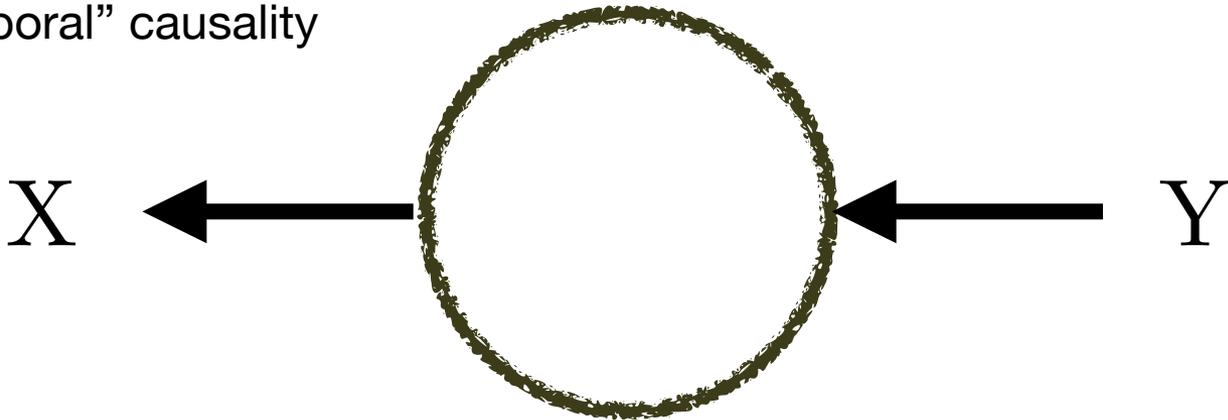


a little background

- mutual information

$$I(X; Y) = \int f_{XY} \log \frac{f_{XY}}{f_X f_Y}$$

- not directional
- no “temporal” causality



a little background

- directed information and causality

$$I(X_1^N \rightarrow Y_1^N) = \sum_{n=1}^N I(X_1^n; Y_n | Y_1^{n-1})$$

- directional

$$X_1^N \equiv (X_1, X_2, \dots, X_N) \quad \xrightarrow{\hspace{10em}} \quad Y_1^N \equiv (Y_1, Y_2, \dots, Y_N)$$

a little background

- mutual information of time series

$$I(X_1^N; Y_1^N) = \sum_{n=1}^N I(X_1^N; Y_n | Y_1^{n-1})$$

- causality?

$$X_1^N \equiv (X_1, X_2, \dots, X_N) \quad \xrightarrow{\hspace{10em}} \quad Y_1^N \equiv (Y_1, Y_2, \dots, Y_N)$$


a little background

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- causality?

$$X_1^N \equiv (X_1, X_2, \dots, X_N) \quad \xrightarrow{\hspace{10em}} \quad Y_1^N \equiv (Y_1, Y_2, \dots, Y_N)$$

insight

- time series
 - Does knowing time series X help with prediction of time series Y ?

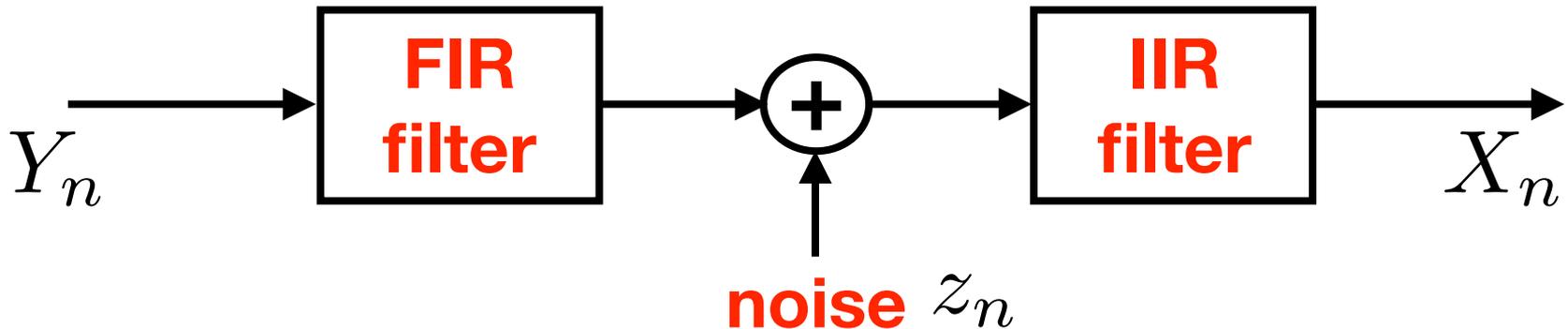
insight

- time series
 - Does knowing time series X help with prediction of time series Y ?
 - Does knowing time series Y help with prediction of time series X ? if directionality is not clear.

insight

- time series (specific underlying assumption!!)
 - causality

$$X_n = \sum_{p=1}^P U_p X_{n-p} + \sum_{q=0}^Q V_q Y_{n-q} + z_n$$



insight

- time series (specific underlying assumption!!)
 - causality

$$X_n = \sum_{p=1}^P U_p X_{n-p} + \sum_{q=0}^Q V_q Y_{n-q} + z_n$$

- what is

$$I(X_1^N \rightarrow Y_1^N) = \sum_{n=1}^N I(X_1^n; Y_n | Y_1^{n-1})$$

2 examples

example 1

$$X_n = Y_{n-1} + z_n$$

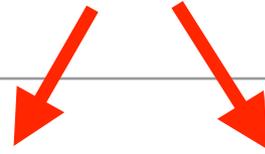
- with i.i.d.

$$Y_n \sim \text{Gaussian}(0, \sigma_Y^2)$$

$$z_n \sim \text{Gaussian}(0, \sigma_z^2)$$

example 1

independent



$$X_n = Y_{n-1} + z_n$$

- with i.i.d.

$$Y_n \sim \text{Gaussian}(0, \sigma_Y^2)$$

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example 1

$$X_n = Y_{n-1} + z_n$$

• then

$$I(Y \rightarrow X) = \frac{1}{2} \log\left(1 + \frac{\sigma_Y^2}{\sigma_z^2}\right)$$

$$I(X \rightarrow Y) = 0$$

example 2

$$X_n = Y_n + z_n$$

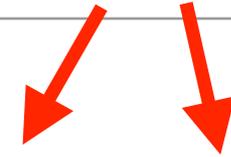
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example 2

independent


$$X_n = Y_n + z_n$$

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example 2

$$X_n = Y_n + z_n$$

- then

$$I(Y \rightarrow X) = I(X \rightarrow Y) = I(X; Y) = \frac{1}{2} \log\left(1 + \frac{\sigma_Y^2}{\sigma_z^2}\right)$$

insight

- time series

- Gaussian

- moving average autoregressive

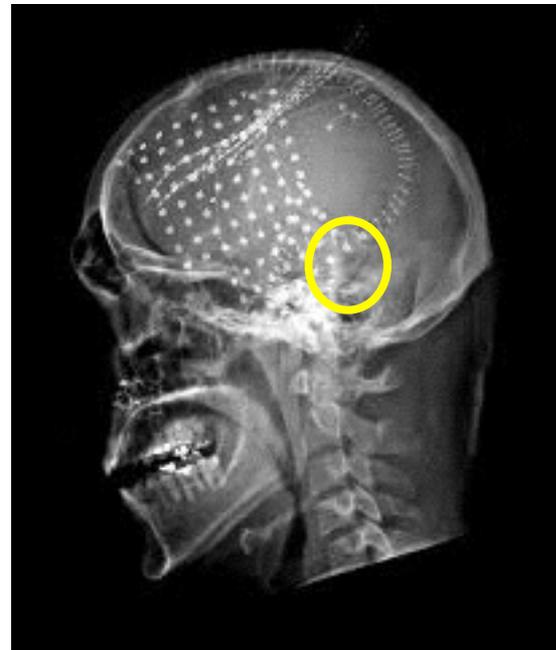
- Granger causality = directed information

$$X_n = \sum_{p=1}^P U_p X_{n-p} + \sum_{q=0}^Q V_q Y_{n-q} + z_n$$

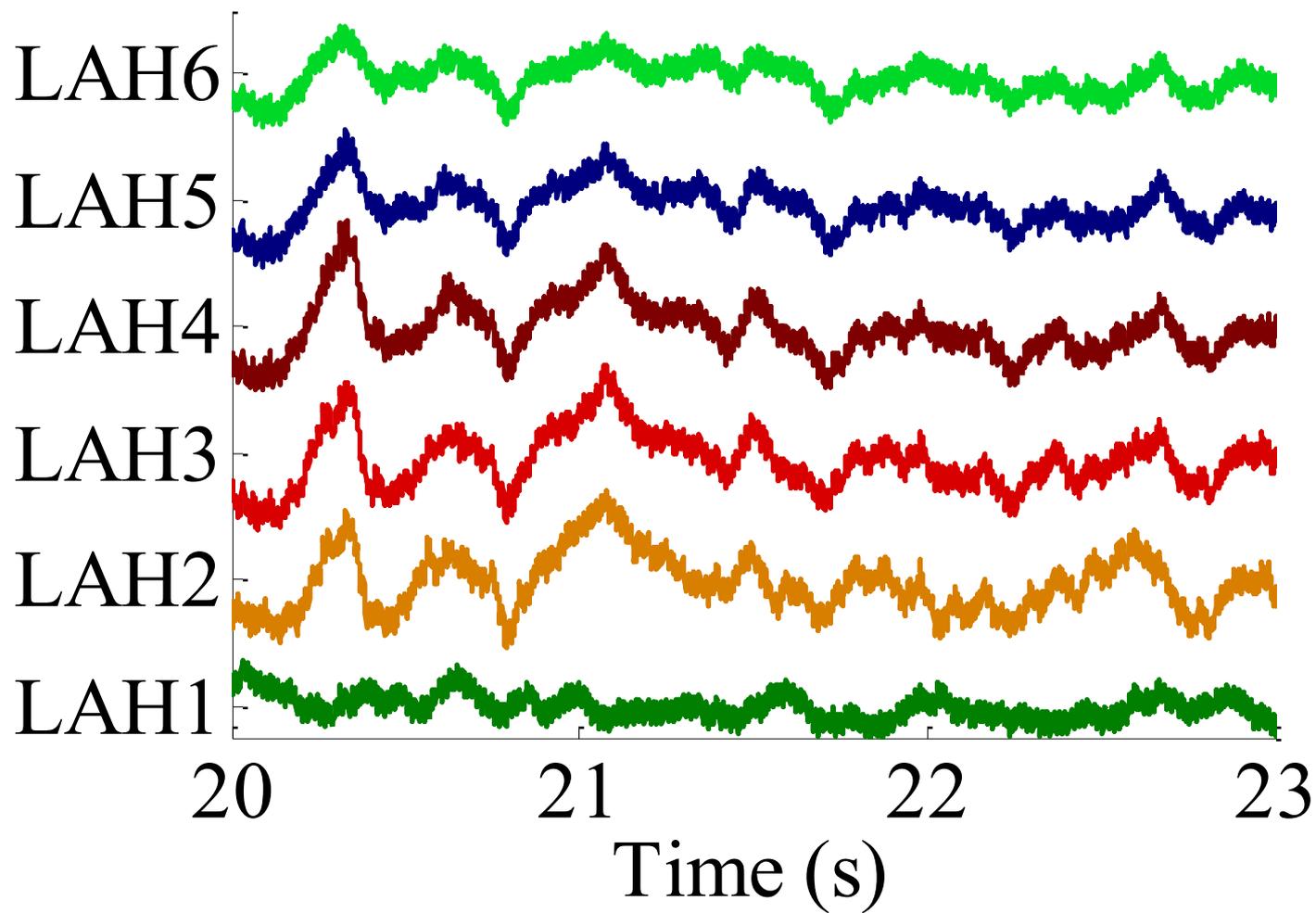
$$I(X_1^N \rightarrow Y_1^N) = \sum_{n=1}^N I(X_1^n; Y_n | Y_1^{n-1})$$

back to real data!

- subdural recording from epileptic patients
 - left hippocampus region
 - 151 channels
 - sampling rate 1khz
 - focus
 - 6 channels
 - 100 seconds

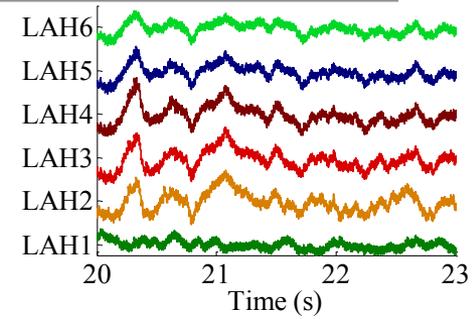


real data



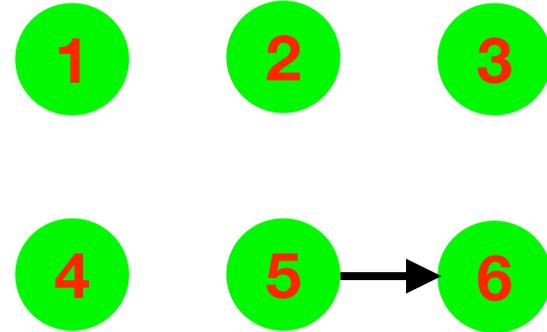
real data

- Gaussian?
- linear moving average autoregressive model?



real data

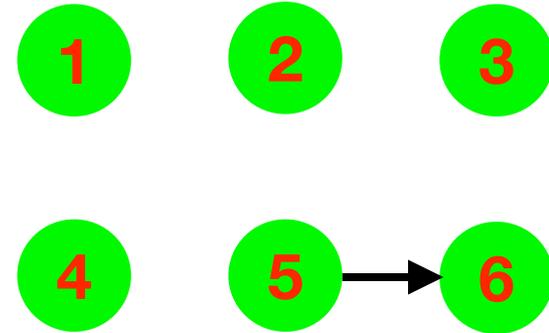
- model order in the range $P, Q \in [75, 125]$
- electrodes labeled LAH1-LAH6



$$X_n^{(6)} = \sum_{p=1}^P U_p X_{n-p}^{(6)} + \sum_{q=0}^Q V_q X_{n-q}^{(5)} + z_n$$

real data

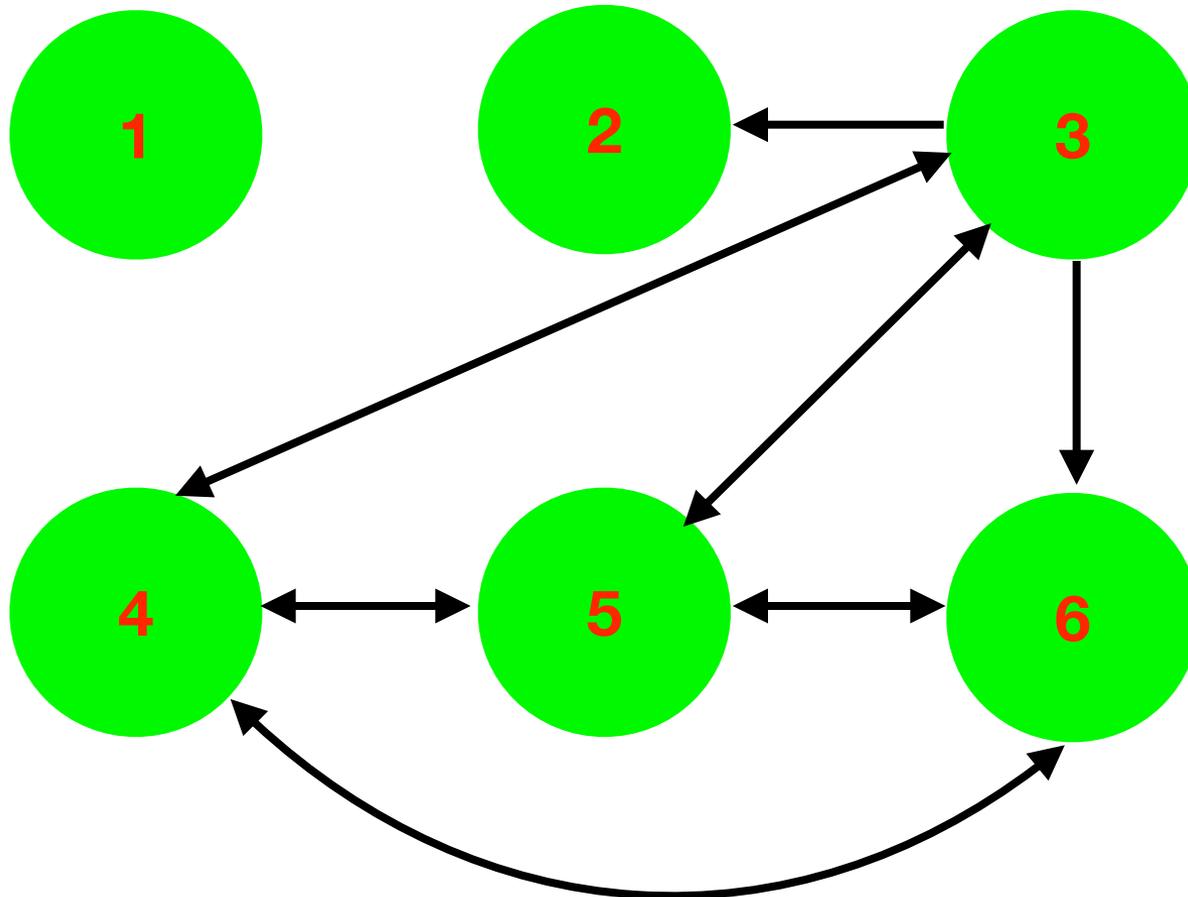
- directed information



$$\{I(X^{(i)} \rightarrow X^{(j)})\}_{6 \times 6} = \begin{pmatrix} - & 0.11 & 0.05 & 0.05 & 0.06 & 0.08 \\ 0.08 & - & 0.07 & 0.09 & 0.09 & 0.10 \\ 0.07 & 0.31 & - & 0.86 & 0.48 & 0.32 \\ 0.05 & 0.20 & 0.84 & - & 0.85 & 0.47 \\ 0.05 & 0.16 & 0.43 & 0.82 & - & 0.91 \\ 0.06 & 0.14 & 0.25 & 0.41 & 0.89 & - \end{pmatrix}$$

strong connections

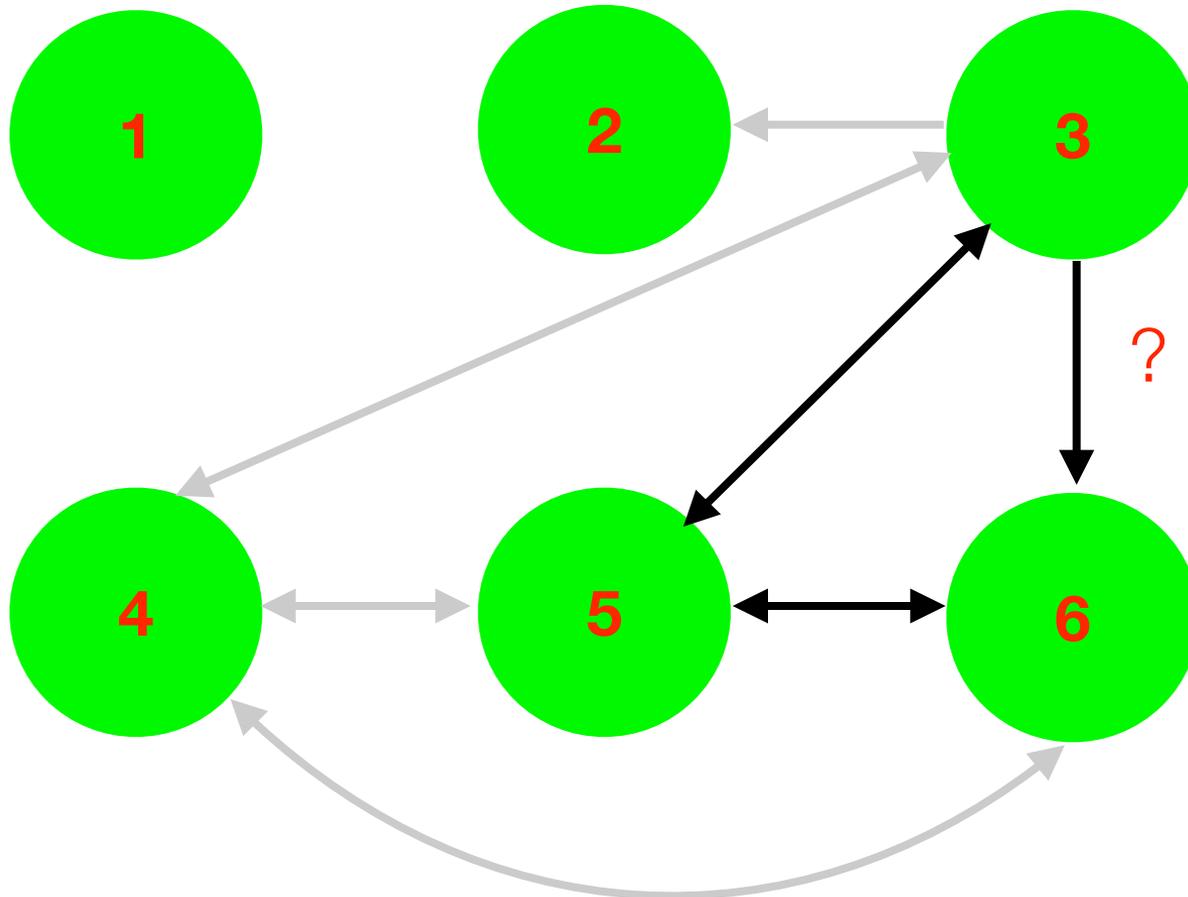
- directed information



strong connections

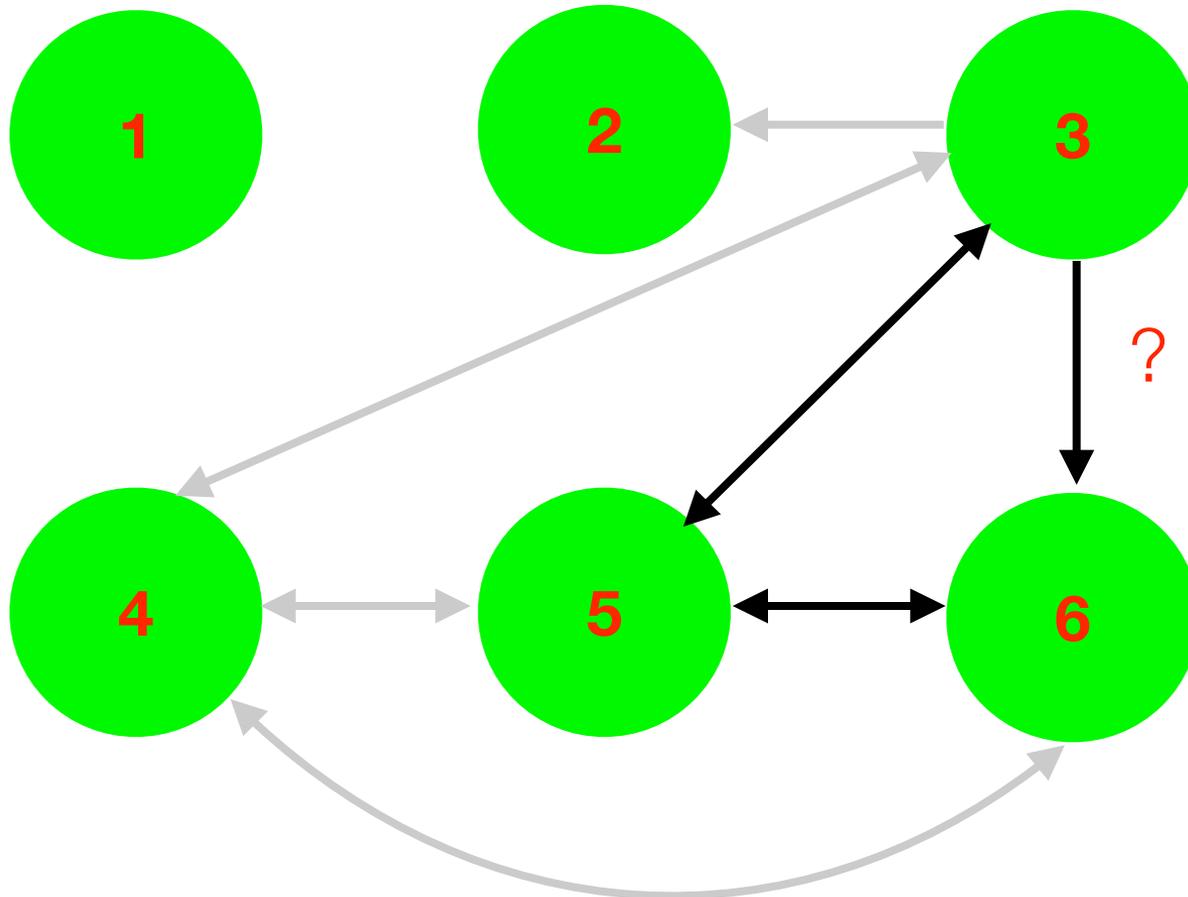
- directed information?

$$I(X^{(3)} \rightarrow X^{(6)}) = 0.32$$



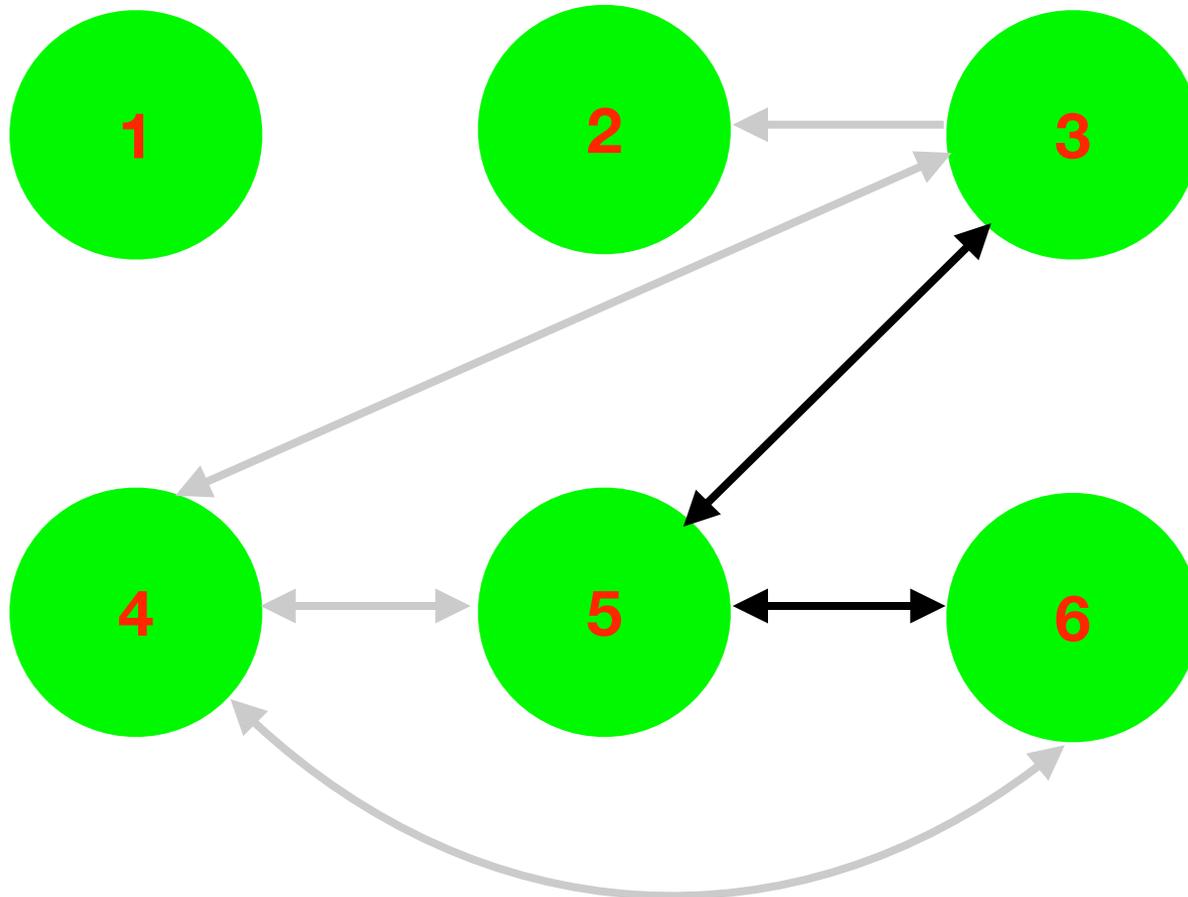
strong connections

- conditional directed information $I(X^{(3)} \rightarrow X^{(6)} | X^{(5)}) = 0.0$



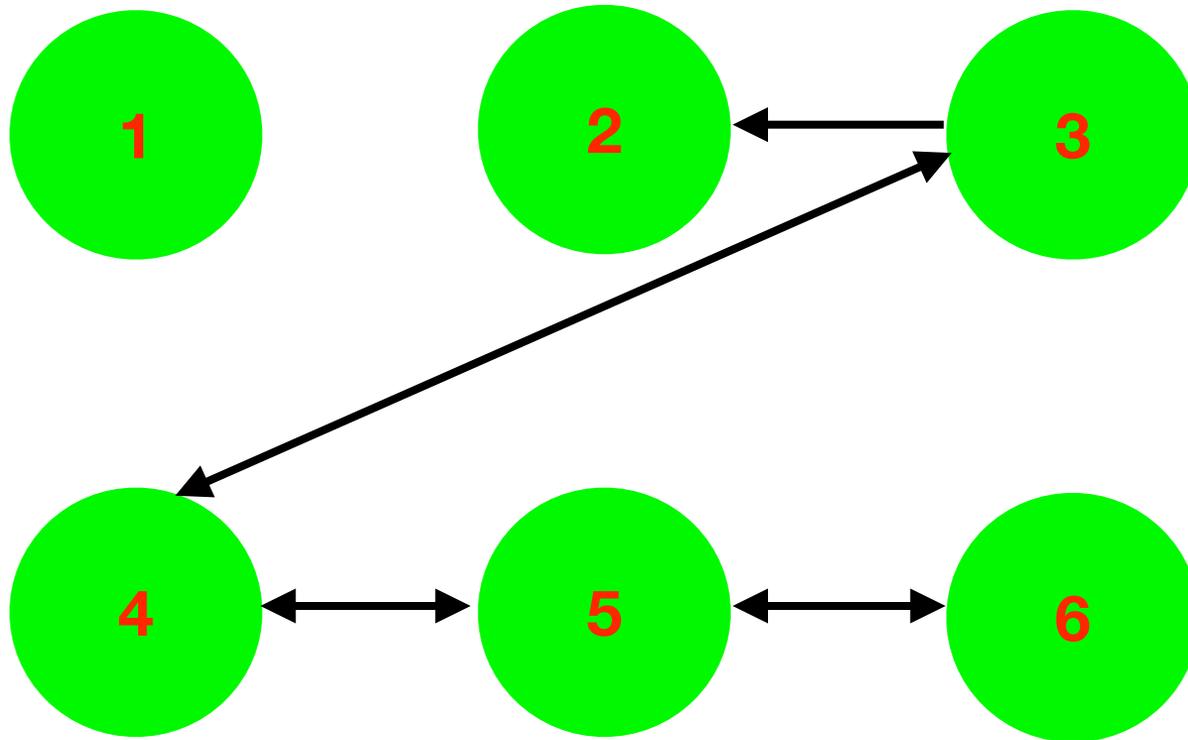
strong connections

- conditional directed information $I(X^{(3)} \rightarrow X^{(6)} | X^{(5)}) = 0.0$



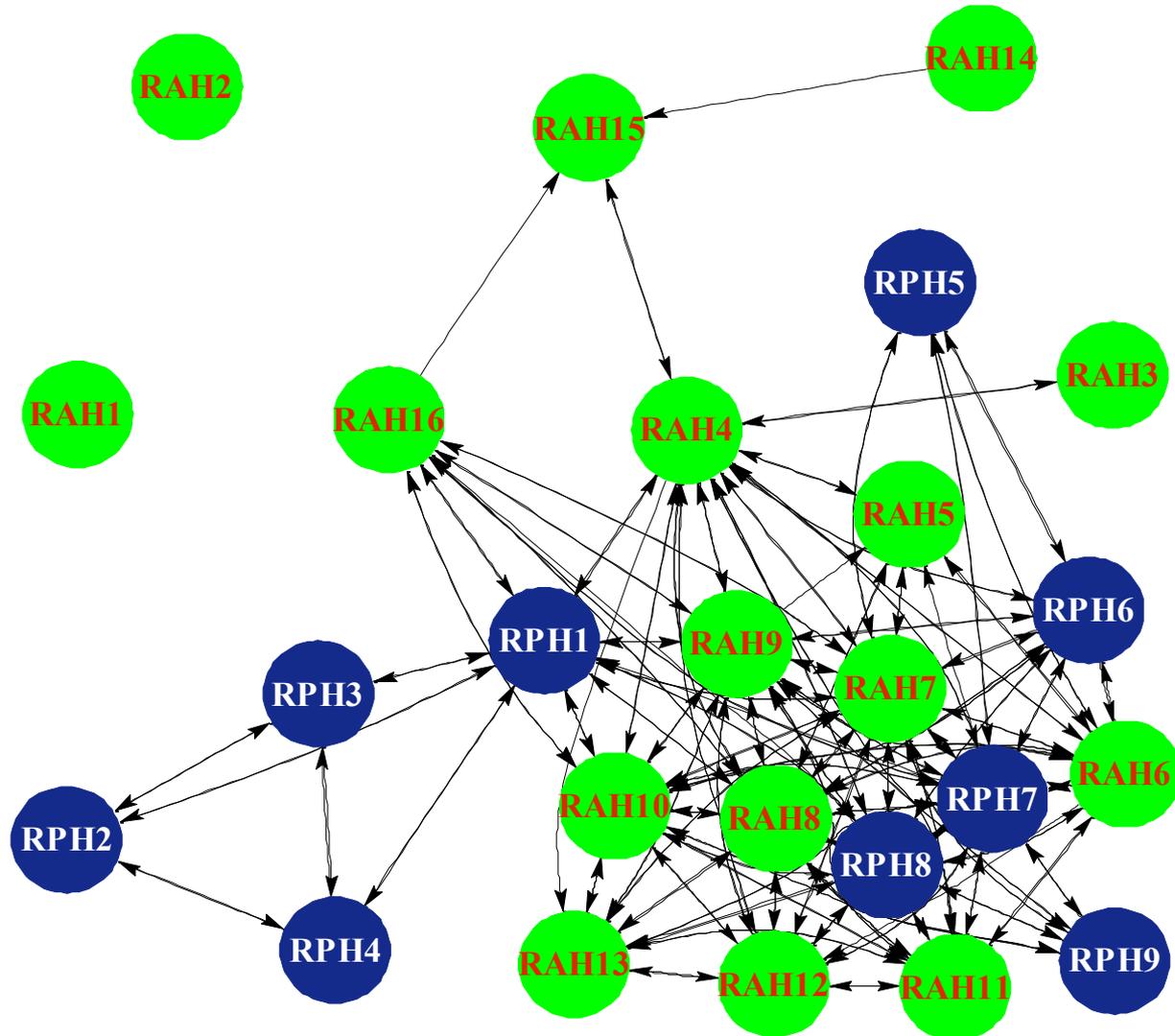
strong connections

- eliminating indirect influence



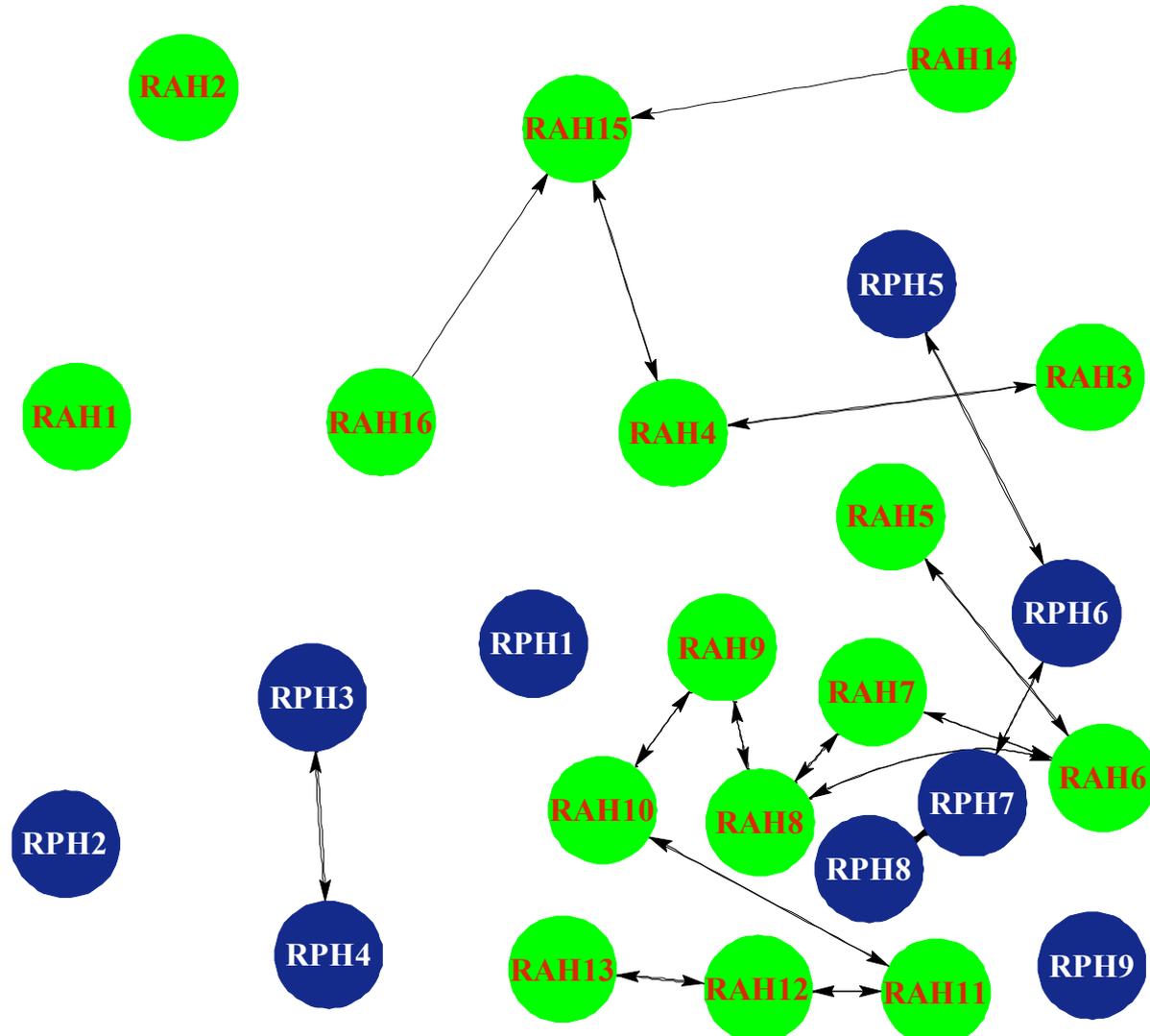
a broader view — all the electrodes

- not sparse



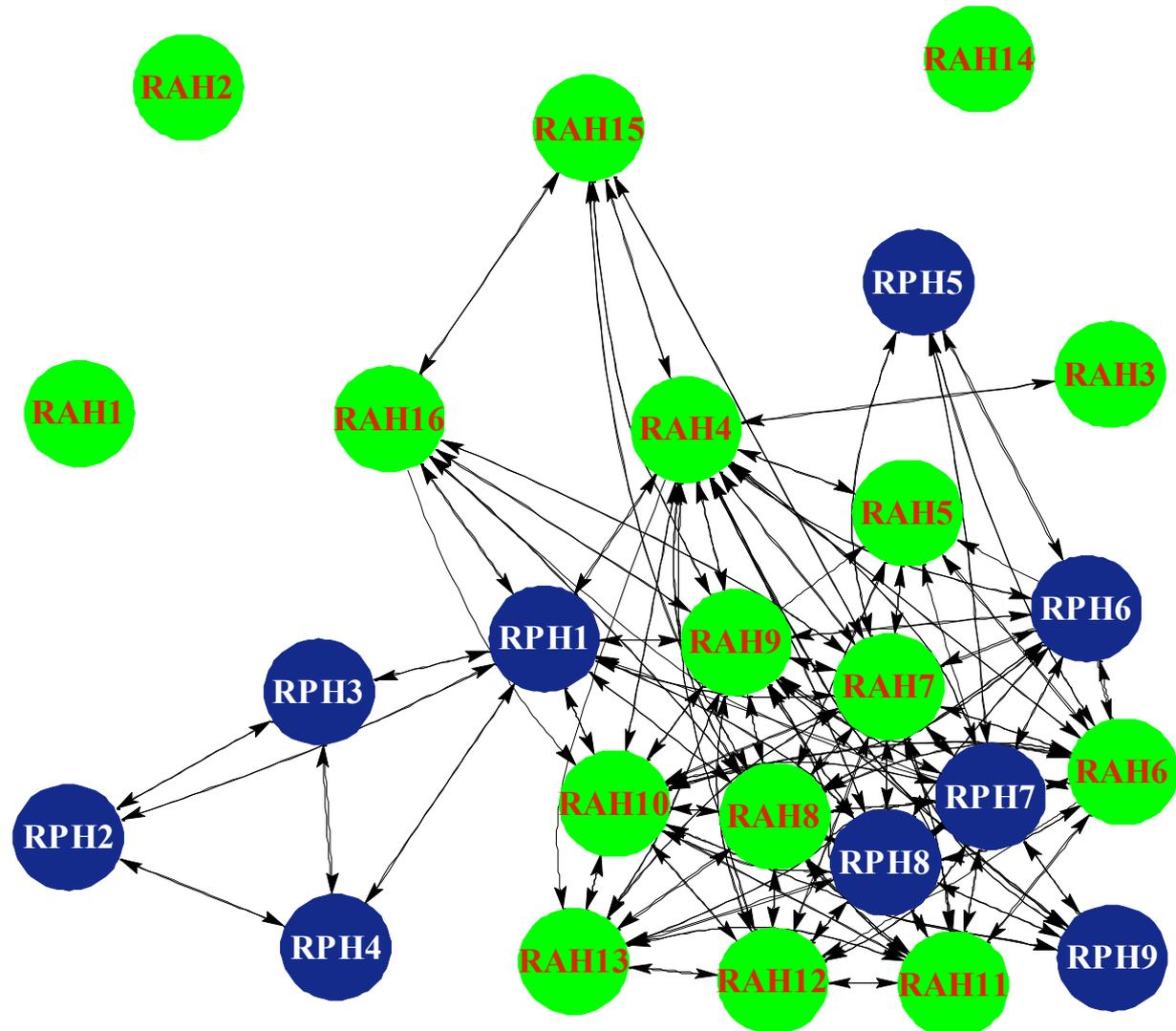
a broader view

- eliminating indirect influences



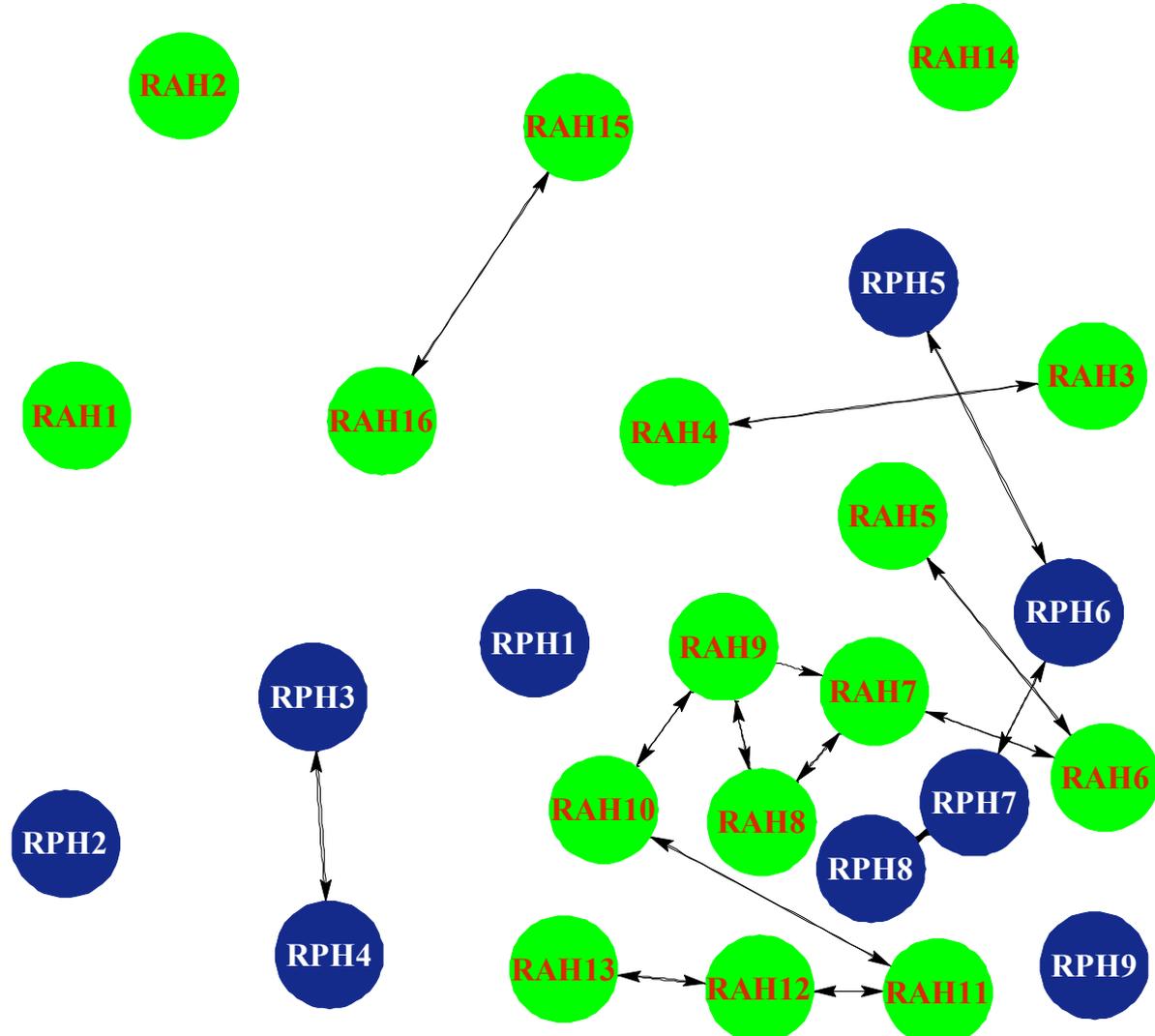
a broader view

- not sparse
- temporal variations



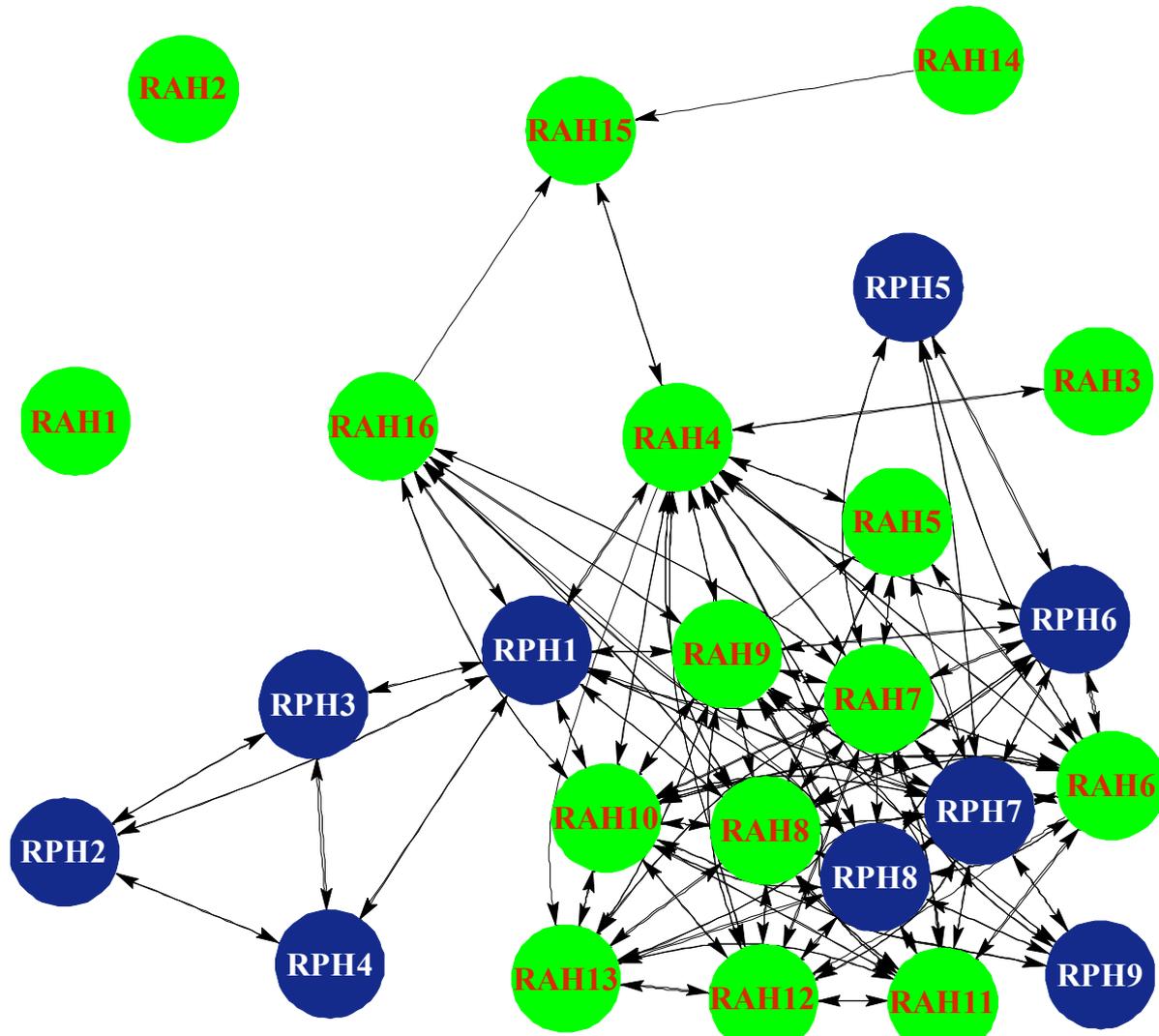
a broader view

- eliminating indirect influences



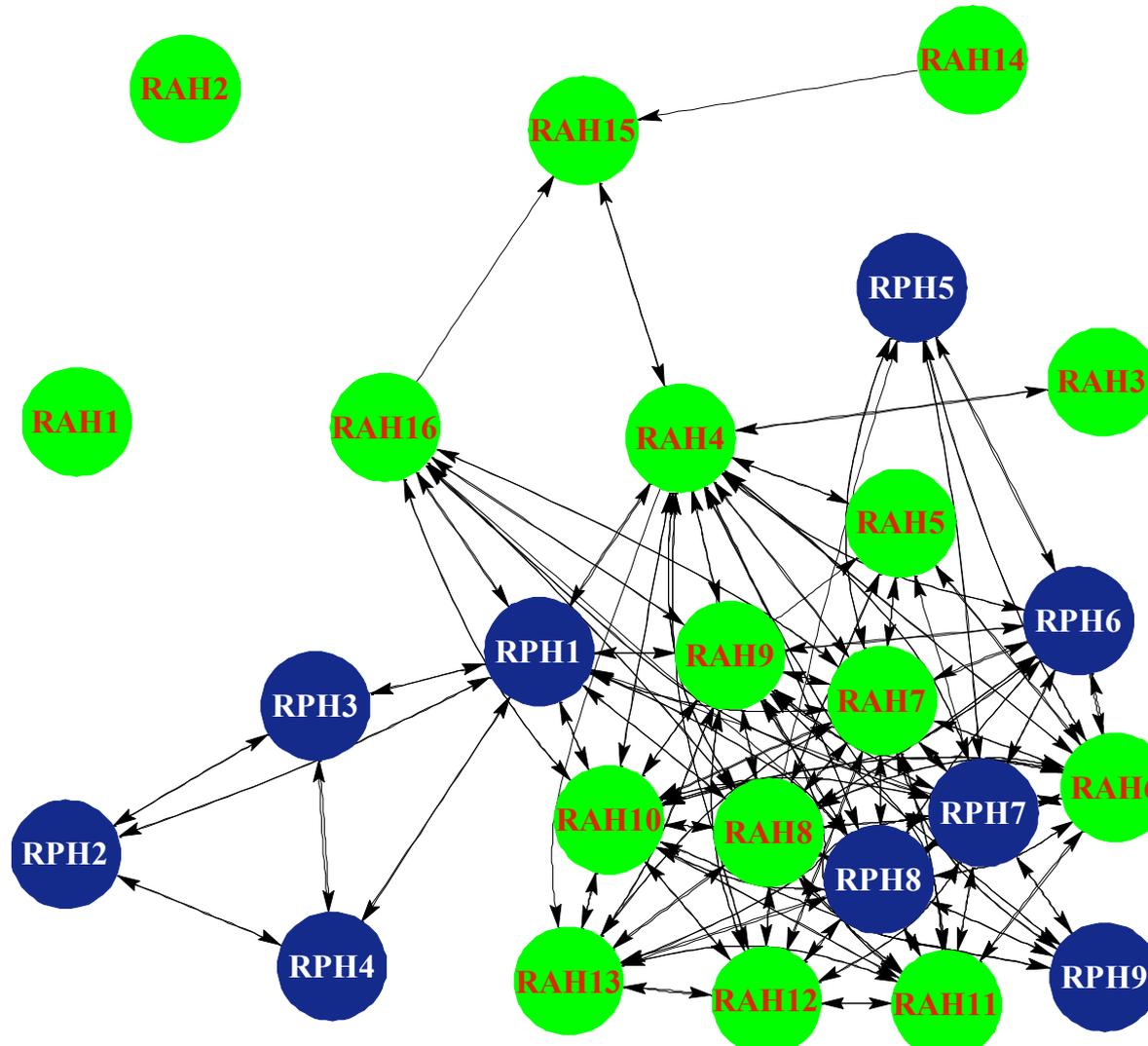
a broader view

- not sparse
- spectral variations?



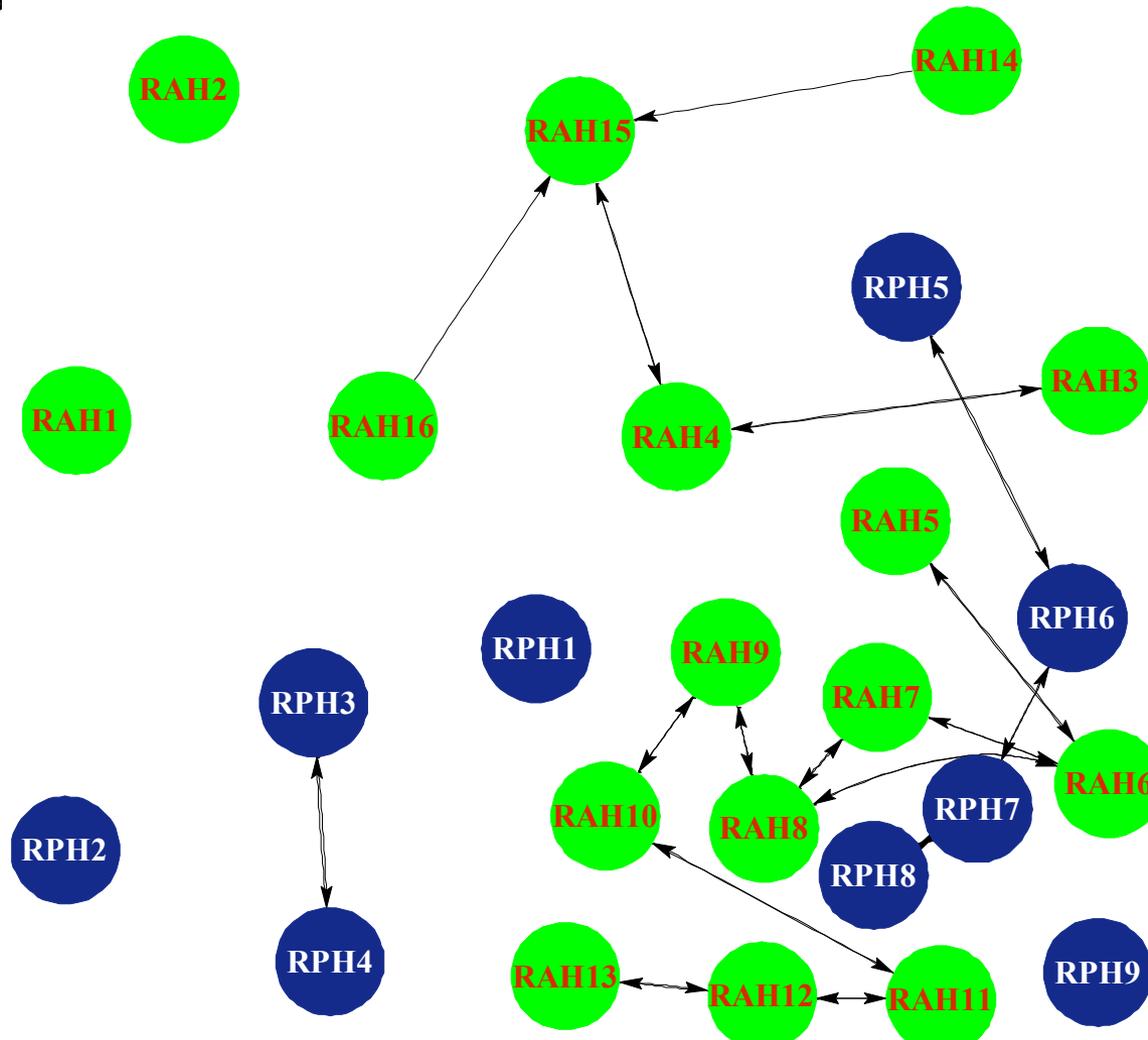
a broader view

- not sparse
- spectral variations
 - 4-8 Hz θ band



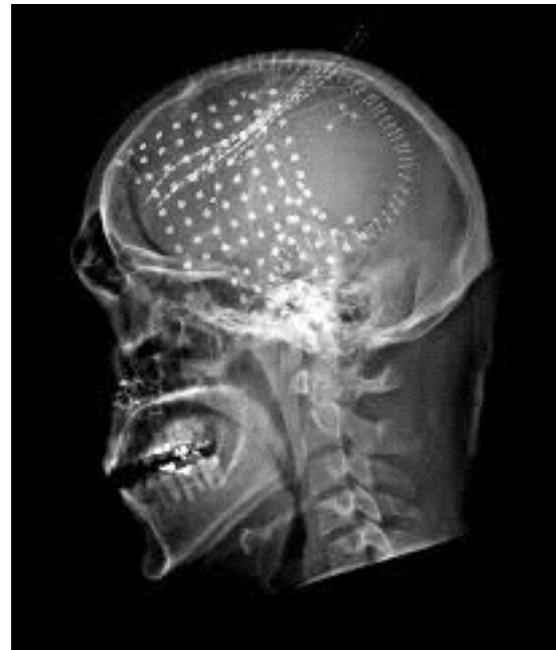
a broader view

- eliminating indirect influences



final thoughts

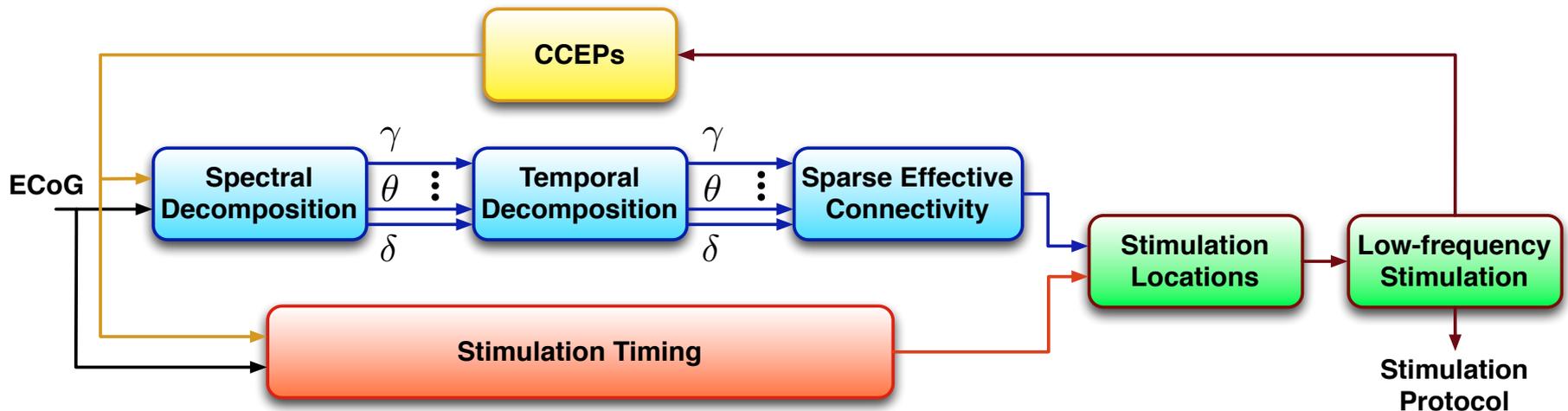
- closed loop stimulation
 - markers
 - spectral
 - temporal
 - spatial



final thoughts

- closed loop stimulation
 - markers
 - real time

**low frequency stimulation
to depress the excitable state**



final thoughts

- develop protocols
 - temporal markers
 - directed connectivity
- build the system
- clinical trial !!!!!